

# Semantics and Pragmatics of NLP

## Interpretation as Abduction

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# Outline

- 1 Discourse interpretation yields more content than compositional semantics
- 2 Use abduction to model this
  - Logical metonymy and Compound nouns
  - Discourse structure

# Interpretation amounts to *Explaining Adjacency*

**Compounds:** Prove relation between modifier and head.

- *tea cup* vs. *ceramic cup*.

**Sentences:** Prove predicate argument structure.

- John believes men work.

Don't explain adjacency of *believes* and *men*, but rather:

- *men* and *work*; *believes* and *men work*;  
*John* and *believes men work*

**Discourse:** Prove a coherence relation between the segments:

- *I collect classic cars. My favourite is an Alfa Spider.*

# Lexical Choice and Interpretation

(1) A car hit a jogger last night.

- We infer a causal relation between hitting and jogging, which goes beyond what is given by compositional semantics.
- This is just the same sort of inference that will go on at the inter-sentential level.
- We'll look at inferences at the intra-sentential level first, and extrapolate up.

# Solving Pragmatics by Abduction

- Abduction is inference to the best explanation.

$$\frac{p \rightarrow q \quad q}{p}$$

- Abduction in NLP:
  - We must provide an explanation of why the sentence is true.

# The Algorithm

To interpret a sentence:

- Prove the logical form of the sentence that's constructed in the grammar, together with the constraints that predicates impose on their arguments,
- allowing for coercions,
- Merging redundancies where possible,
- Making assumptions where necessary.

**Proving:** Prove logical form via FOL.

**Redundancies:** Merging redundancies  $\approx$  the best explanation.

**Abduction:** Making assumptions is the abduction bit.

# The Role of Abduction in Interpreting Utterances

$S$  and  $H$  have

- their own beliefs
- mutual beliefs

The content of an utterance ‘mixes’ mutual beliefs and  $S$ ’s beliefs, and is an attempt to expand the set of mutual beliefs:

- The bits in mutual belief are *old information*
- The bits outside mutual belief are *new information*.
- The bits outside mutual belief will require abduction in order to prove them.

# A Simple Example

(2) The Boston office called.

Three problems:

- 1 Determining the relation between *Boston* and *office*.
- 2 Determining the reference for *the Boston office*.
- 3 Resolving the metonymy to *Someone at the Boston office...*



## Interpreting (2)

- We must prove the LF via abduction.

$$(2)' \quad (\exists x, y, z, e)(call(e, x) \wedge person(x) \wedge rel(x, y) \wedge office(y) \wedge Boston(z) \wedge nn(z, y))$$

- There's an event  $e$  of a person  $x$  calling.
- $x$  may not be the explicit subject, but it must be related to it or coercible from it, represented by  $rel(x, y)$ .
- $y$  is an office which bears some unspecified relation  $nn$  to Boston.
- Abduction must be used to find out why  $nn(z, y)$  and  $rel(x, y)$  are true.

# Example Continued: The Mutual KB

- $Boston(B_1)$   
 $office(O_1) \wedge in(O_1, B_1)$   
 $person(J_1) \wedge work-for(J_1, O_1)$
- If  $y$  is in  $z$ , then  $y$  and  $z$  are in  
a possible compound relation:  
 $\forall y \forall z (in(y, z) \rightarrow nn(y, z))$
- If  $x$  works for  $y$ , then  $y$  can be coerced from  $x$ :  
 $\forall x \forall y (work-for(x, y) \rightarrow rel(x, y))$

# Proving the Logical Form: Fix $x$ to be $J_1$ and then...

- Everything in the LF can be proved from the KB except *call*( $e, x$ )
- Abduction permits us to assume this, so we do and add it to the mutual belief set.
- *call*( $e, x$ ) is the new information.
- We could have assumed *person*( $x$ ), rather than proving it with *person*( $J_1$ ).  
This would have given the less specific reading of (2) that someone called, rather than John called.
- Redundancy??

# The Proof Graph

**Logical Form:**

$\boxed{call'(e, x)}$   $person(x) \wedge rel(x, y) \wedge office(y) \wedge Boston(z) \wedge nn(z, y)$

**Knowledge Base:**

$person(J_1)$   
 $work-for(x, y) \supset rel(x, y)$   
 $\uparrow$   
 $work-for(J_1, O_1)$

$office(O_1)$

$Boston(B_1)$

$in(y, z) \supset nn(z, y)$

# The Three Pragmatics Problems

They are all solved as a by-product:

- The implicit relation in the compound nominal *Boston Office* is *in*.
- *The Boston Office* is resolved to  $O_1$ .
- The metonymy has been expanded to:  
*John, who works for the Boston office, called.*

# Problems with Logical Form

- You must be really careful to get the logical forms right.
  - You must have *call*(*e*, *x*) and *person*(*x*) rather than *call*(*e*, *y*).
- Selectional restrictions aren't really a matter for grammar though!

More problems later...

# Making Choices

- The problem of *which* inferences to make is *the* problem in pragmatics.
  - Eg., should we assume *person(x)*, or prove it with *person(J<sub>1</sub>)*?
- Hobbs solves this by assigning **weights** to predicates, and guiding assumptions so that they have least cost:
  - cost = sum of weights on assumptions
- Weights are assigned *manually*:  
tweak weights using trial and error.
- Weights are ‘context-free’: they don’t change as the KB changes.

# Abduction over Default Rules

Default Rules:

- Gricean maxims; Domain knowledge;  
Reasoning about dialogue agents

Abduction on hard rules:

$p \rightarrow q$  and  $q$  permits us to assume  $p$ .

We can represent default rules as hard rules plus a predicate *etc*:

- Birds fly:  $\forall x((bird(x) \wedge etc_n(x)) \rightarrow fly(x))$
- From knowing Tweety flies, we can prove via abduction that Tweety is a normal bird.



# Proving Discourse

(3) Max fell. John pushed him.

- You must prove that (3) is a discourse segment.
- You do this by proving a coherence relation between the sentences from rules like the following:

- 1  $\forall e_1, e_2, e (CoherenceRel(e_1, e_2, e) \rightarrow Segment(e))$
- 2  $\forall e_1, e_2, e ((Info(e_1, e_2) \wedge etc_i) \rightarrow CoherenceRel(e_1, e_2, e))$

- *CoherenceRel* is coordinating: *e* must be computed from *e*<sub>1</sub> and *e*<sub>2</sub> together.
- *CoherenceRel* is subordinating: *e* is either *e*<sub>1</sub> or *e*<sub>2</sub>.

## Rules for (3)

- $\forall e_1, e_2, e (CoherenceRel(e_1, e_2, e) \rightarrow Segment(e))$
  - $\forall e_2, e_1 (cause(e_2, e_1) \rightarrow Explanation(e_1, e_2, e_1))$
  - $\forall e_1, e_2, e (Explanation(e_1, e_2, e) \rightarrow CoherenceRel(e_1, e_2, e))$
- 
- Abduce (i.e. assume) *cause*, and the appropriate conclusion follows.
  - So abduce pushing caused the falling, and then you are assured that (3) is a coherent discourse segment.

# Occasion

- (4)
- a. At 5:00 the train arrived in Chicago.
  - b. At 6:00 Bill Clinton held the press conference.

Instead of Explanation, we have *Occasion*, which is proved when:

- Both events describe a change in state, and the final state of the first is the initial state of the second.

# Parallel

- *Parallel*( $e_1, e_2, e$ ) is proved if:
  - The first segment  $S_1$  (plus assumptions) entails  $p(x_1, \dots, x_n)$
  - The second segment  $S_2$  (plus assumptions) entails  $p(y_1, \dots, y_n)$
  - $x_i$  is similar to  $y_i$  in that they share some property.
- It's a coordinating relation.

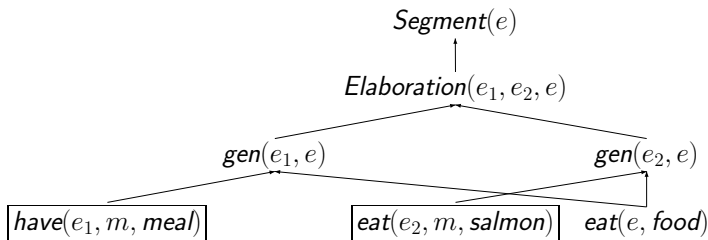
(5) John drank beer. Fred drank wine.

# Elaboration: a limiting case of Parallel

- Entities are not merely similar, but identical.
- At some level, both segments say the same thing.
- Proving Elaboration:  
If there is an event  $e$  that is generated by both  $e_1$  and by  $e_2$ , then they are connected by Elaboration, and  $e$  acts as the summary.
  - $\forall e_1, e_2, e (gen(e_1, e) \wedge gen(e_2, e) \rightarrow Elaboration(e_1, e_2, e))$
- Elaboration is a subordinating relation.

# Proving an Elaboration

- (6) Max had a great meal.  
He ate lots of salmon.



## Contrast

## (A Coordinating Relation)

- (7) John has black hair. Jill has brown hair.
- (8) John is graceful. Jill is an elephant.

To prove Contrast, prove:

- ① Segment  $S_1$  entails  $p(x_1, \dots, x_n)$
  - ② Segment  $S_2$  entails  $\neg p(y_1, \dots, y_n)$ , where  $x_i$  are similar to  $y_i$ .
- 
- (7) can be interpreted as Contrast or Parallel.
  - The sense extension of *elephant* in (8) is a by-product of trying to prove the Contrast relation:
    - You have to prove *elephant* implies  $\neg$ *graceful*.

## Another Example

- (9)
- a. The police prohibited the women from demonstrating.
  - b. They feared violence.

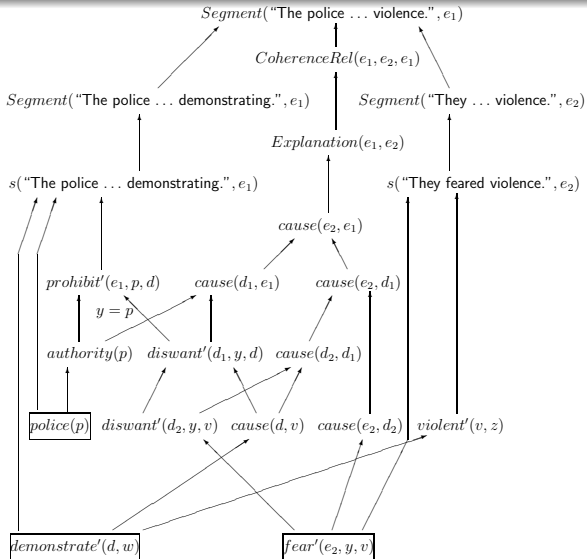
- 1 Prove that (9)a and (9)b are sentences.
- 2 Prove that together they form a segment.
  - 1 Aim for Explanation relation.
  - 2 So prove:
    - There is a prohibiting event  $e_1$  of the police.
    - There is a fearing event  $e_2$  of “them”
    - $e_2$  caused  $e_1$ .



# Proving the Causal Relation

- (c) This can be proved if we have the following WK axioms:
  - (i) If  $e_2$  is a fearing by  $y$  of  $v$ , then  
this causes  $y$  not to want  $v$
  - (ii) If  $e_1$  is a demonstration, then  $e_1$  causes violence ( $v$ ).
  - (iii) If  $y$  doesn't want  $v$ , then  
this causes  $y$  to prevent  $v$  from happening.
- (d) If we assume “they” is the police,  
then the proof of causation follows by the above WK  
axioms.

# The Proof Graph



# The Problem of Choice in Abduction

- (3) Max fell. John pushed him.  
(10) Max fell. John helped him.

A  $(\langle e_1, e_2 \rangle \wedge \text{cause}(e_2, e_1)) \rightarrow \text{Explanation}(e_1, e_2, e_1)$

B  $(\langle e_1, e_2 \rangle \wedge \text{cause}(e_1, e_2)) \rightarrow \text{Narration}(e_1, e_2, e)$

- Need (B) to prove (10) is a segment. *Be Orderly.*
- But you can abduce on (B) to get the wrong interpretation of (3).
- There's a choice of what to abduce. How do we choose?

# Hobbs *et al*'s Solution

- Assign costs to predicates.
- Guide abduction so that you abduce things that give the smallest overall cost.
- This amounts to the least risk strategy.

Falling and Pushing:

$$(\langle e_1, e_2 \rangle \wedge \text{FALL}(e_1, x) \wedge \text{PUSH}(e_2, y, x) \wedge \text{ETC}_n(e_1, e_2)) \rightarrow \text{CAUSE}(e_2, e_1)$$

ETC predicates generally assigned low weights.

# Problems

- Ad hoc!
  - Costs on predicates aren't context sensitive enough.
- (11)     John hit the back of Max's neck.  
           Max fell. John pushed him.  
           Max fell over the edge of the cliff.
- So the costs on predicates must be a function of the *whole KB!*  
Definitely context-sensitive, then!
  - But then assigning weights is intractable!!

# More on Intractability

- Abduction (without weights) over first order logic is intractable anyway, because consistency checking over first order logic is beyond what's recursively enumerable.
- So computing these implicatures is uncomputable.
- It's thus inadequate as a theory of semantic competence:
  - It doesn't explain why by-and-large we agree on what was said.

# Problems: Anaphora

Interpreting amounts to updating beliefs:

(2) The Boston Office called

- The interpreter abduces that John, who works for the Boston office, called.
- So John features in the representation of (2).
- But then John is available for future anaphoric reference:

(12) The Boston office called. ?He was very angry.

- The representation of linguistic content should be separate from the effects of content on beliefs.

# Another Reason for Separating Content from Beliefs

- (13)
- a. A: John went to jail.
  - b. He was caught embezzling funds.
  - c. B: No! He was caught embezzling funds, but he went to jail because he committed tax fraud.
- You *can't possibly* prove things that you believe to be false from:
    - your private beliefs, or
    - mutual beliefs (which you must believe)
  - So *B* won't prove *A*'s segment as an *Explanation* unless he performs *all* the reasoning over (only) his model of *A*'s private beliefs (*not* mutual beliefs).
  - But you don't need to do this: just use lexical semantics instead.



# Confusing What is Said with Evaluating What is Said

The logic in which you construct logical form shouldn't have full access to the logic in which you interpret logical form:

- (14)
- a. There are unsolvable problems in number theory.
  - b. Every even number greater than two is equal to the sum of two primes is undecidable, for instance.

- Abducting *Elaboration* involves checking it's consistent.
- That involves checking (14)b is satisfiable.
- But we don't know how to do that!!

Even mathematically inept people interpret (14) as an *Elaboration*.

# Knowledge Interaction: Modularity is Crucial!

- (15)
- Jane saw Mary.
  - She asked a question.
  - She answered her *no*

- (15)b: low weight for resolution as in centering theory.
- But this conflicts with preferred interpretation of (15)c!

The rule for doing (15)c is then very *ad hoc*:

- A respondent to a question is different from the questioner, and this rule overrides preferences from Centering.

(Stone and Thomason, 2002)

- 1 Misses generalisations about organisation of knowledge.
- 2 Can't be expressed in the logic anyway.

# Summary

- People infer more content than just compositional semantics.
- The inferences they use involve *weighted abduction*.
- In proving a sentence you do a number of tasks as a byproduct:
  - Resolve logical metonymies and compute sense extensions
  - Resolve anaphora
  - Infer causal relations
  - and more. . .

# Problems

- Interpretation as belief update:
  - Inferences are more complex than they need to be.
  - Should use linguistic knowledge sources rather than reasoning with other people's beliefs whenever possible.
- Modularity needed to:
  - 1 Make constructing logical form computable (and therefore the basis for explaining semantic competence)
  - 2 Separate computing what is said from evaluating whether what is said is true.
  - 3 Express generalisations about the relative priority of sources of information.