

Multi-agent and Semantic Web Systems: Representation

Fiona McNeill

School of Informatics

21st January 2013

Fiona McNeill

Multi-agent Semantic Web Systems: Representation

21st January 2013 0/22



There are many different kinds of representations which one can use for databases and ontologies.

The ones we will cover in the course are:

- Resource Description Framework (RDF)
- Resource Description Framework Scheme (RDFS)
- Description Logic (DL)
- Web Ontology Language (OWL), which is subdivided into
 - OWL-full
 - OWL-DL
 - OWL-lite

There are also many others.



Convenience of use and popularity of format This is (largely) an *implementational issue*



Convenience of use and popularity of format This is (largely) an *implementational issue*

The ability to say everything you want to say: Expressivity



Convenience of use and popularity of format This is (largely) an *implementational issue*

The ability to say everything you want to say: Expressivity

The ability to reason over your ontology: Efficiency



Convenience of use and popularity of format This is (largely) an *implementational issue*

The ability to say everything you want to say: Expressivity

The ability to reason over your ontology: Efficiency

The tension between expressivity and efficiency is at the heart of choosing an appropriate format.

Fiona McNeill

Multi-agent Semantic Web Systems: Representation



Possible components of ontologies contain:

- individuals
- classes
- attributes
- relations
- functions
- axioms
- planning rules

The more expressive a representation, the more of these components it will allow, and the fewer restrictions it will place on them.



Individuals are instances or objects

These are usually *concrete* (e.g., fiona_mcneill, uk_prime_minister, uoe_student_1389203)

but they can be *abstract* (e.g., numbers and words)

Two individuals may be equivalent (e.g., uk_prime_minister)

It is not always clear whether something ought to be an individual or a class (e.g., uk_prime_minister)



Classes are used to group things together.

In most representations, members of classes must be *individuals*. In more expressive representations, *classes* may be also be allowed to be members of other classes. This can lead to complications (e.g., Russell's paradox).

Classes can be subsumed by, or can subsume other classes \Rightarrow subclasses and superclasses.

This leads to the *class hierarchy*, which is central to most ontologies.

Some ontologies consist *only* of a class hierarchy - these are called *taxonomy* and opinion is divided as to whether they are ontologies at all.



Attributes are aspects, properties, features, characteristics, or parameters that objects and classes can have.

For example, the *slots* described in the previous lecture are a kind of attributes. *Frames* are a way of assigning attributes to classes.

Attributes can link objects and classes to

- boolean values (true/false)
- specific values (integers, individuals or other literals)
- classes
- complex data types (e.g., enumerated lists)



Relations describe how classes and individuals relate to one another.

Typically, relations are defined between classes, and instantiations of relations are between individuals, e.g., a relation course/5 may be defined as course(Course_Name, Lecturer, Level, Credits, Year) and a specific instance may be course(masws,fiona_mcneill, 10/11, 10, 2012/2013)

Expressive representations allow *n-ary* relations: that is, relations with *n* arguments, where *n* is unlimited.

More restricted representations may limit this: e.g., only allow binary relations



Functions are relations such that, for a function with n+1 arguments, if the first n arguments are defined, the n+1th is defined.

e.g., plus(Addend, Addend, Result) is a function: if the two Addends are instantiated, there is only one possible value for Result.

The functional nature of relations is often indicated by using the representation: plus(Addend, Addend) = Result

e.g., course(Course_Name, Lecturer) is not functional. This year, course(masws, Lecturer) has a unique result, but last year course(masws, Lecturer) had two results, and this also true for other values of Course_Name. Since it may have a unique result but does not definitely have a unique result, it is

not functional.



Axioms describe how new facts can be *derived* from existing ones in the ontology.

For example: sibling(X,Y) \land male(X) \rightarrow brother(X,Y)

It is not necessary to store all the facts about *brothers*: if information exists about gender of individuals and sibling relations, then information about *brothers* can be derived when required.

Another example: $brother(X,Y) \lor sister(X,Y) \rightarrow sibling(X,Y)$

Note that this notion of axiom is different to the notion used in formal logic, where the axioms are the facts known *a priori*.



Rules describe how the world may be changed. They consist of *antecedents* (things that must be true before the rule can be used and *consequents* (things that are made true by applying the rule).

For example:

Buy:

 $in_stock(Item) \land has_money(Person, Amount, Time I) \land cost(Item, Price) \land Amount > Price$

→ has(Item,Person) ∧ has_money(Person, New_amount,Time2) ∧ New_amount = Amount - Price

Because there is an implied *before* and *after* in a planning rule, it is necessary to have some way of identifying time (see *has_money*). Many (most?) common ontology representations do not allow planning rules.

Note: it is common for axioms to be described as rules as well, so in general a rule in an ontology may be considered to be either something that describes how the world can be changed or something that describes how facts can be derived.





The most expressive representations in common use are first-order: for example, the Knowledge Interchange Format (KIF).



The most expressive representations in common use are first-order: for example, the Knowledge Interchange Format (KIF).

Essentially, this means you can have quantified variables in predicates and functions.



The most expressive representations in common use are first-order: for example, the Knowledge Interchange Format (KIF).

Essentially, this means you can have quantified variables in predicates and functions.

It is also possible to write *higher-order* ontologies (where you can have quantified predicates and/or functions) but these are hard to use in practice.



You can describe a complex and fluid environment:

- Describe relationships between many objects e.g. course(Course_Name, Lecturer, Level, Credits, Year)
- Describe how the world is changing and how to effect change in the world
- Describe things that are true at different times
 e.g. course(MASWS, Fiona_McNeill, 10/11, 10, 2012/2013)
 course(MASWS, Ewan_Kline, 10/11, 10, 2011/2012)
- Anything you want!

E D I N B UT

but ... reasoning is hard.

For example, we may want to know whether a statement brother(peter, john) is true



but ... reasoning is hard.

For example, we may want to know whether a statement brother(peter, john) is true

No inference rules \Rightarrow just look up whether or not this is true.

WNIVERSTAND

but ... reasoning is hard.

For example, we may want to know whether a statement brother(peter, john) is true

No inference rules \Rightarrow just look up whether or not this is true.

If there is a rule: $sibling(X,Y) \land male(X) \rightarrow brother(X,Y)$ we need to find if this sibling relationship exists and then check the value of male(X).

E D I N B UT

but ... reasoning is hard.

For example, we may want to know whether a statement brother(peter, john) is true

No inference rules \Rightarrow just look up whether or not this is true.

If there is a rule: $sibling(X,Y) \land male(X) \rightarrow brother(X,Y)$ we need to find if this sibling relationship exists and then check the value of male(X).

If there is a rule: $parent(X,Y) \land parent(X,Z) \land male(Y) \rightarrow brother(Y,X)$ we cannot return *no* until we have checked every possible value of Z against this rule. but ... reasoning is hard.



For example, we may want to know whether a statement brother(peter, john) is true

No inference rules \Rightarrow just look up whether or not this is true.

If there is a rule: $sibling(X,Y) \land male(X) \rightarrow brother(X,Y)$ we need to find if this sibling relationship exists and then check the value of male(X).

If there is a rule: $parent(X,Y) \land parent(X,Z) \land male(Y) \rightarrow brother(Y,X)$ we cannot return *no* until we have checked every possible value of Z against this rule.

This gets very complicated very quickly!

Fiona McNeill



A small increase in the number of rules, functions and relations can increase the complexity of reasoning enormously.

Computing power is increasing all the time, meaning computers can reason faster.

But computing power increases linearly The number of potential combinations increases exponentially



A representation is decidable if any question asked of it will be answered with a yes or a *no* in finite time.

That is, an inference process can be developed such that the question is statement X true within ontology Y? will return a Boolean truth value for any statement X and ontology Y in the given representation, and will not loop indefinitely.

Many representations are not decidable.



A representation is sound if any logical formula provable or derivable within that representation is true that is: you can't prove things which aren't true.

A representation is complete if any logical formula which is true can be proved or derived from the representation that is: if it is true, you can prove it

It is easy to create representations that are sound, and prove that they are so.

Creating representations that are *complete* is more difficult, and depends on restricting expressivity. Proving results about completeness can also be hard.





Description Logics were created to be decidable fragments of first-order logic: taking as much of the expressivity of first-order logic as possible



Description Logics were created to be decidable fragments of first-order logic: taking as much of the expressivity of first-order logic as possible

OWL-lite and OWL-DL are decidable. OWL-full is not.



Description Logics were created to be decidable fragments of first-order logic: taking as much of the expressivity of first-order logic as possible

OWL-lite and OWL-DL are decidable. OWL-full is not.

RDF is a restrictive representation which consists of triples (subject-predicateobject).



It is always possible to translate n-ary relations into triples:

e.g., course(Course_Name,Lecturer,Level,Credits,Year)

can be represented:

course(ID,Course_Name), course(ID,Lecturer), course(ID,Level), course(ID,Credits), course(ID,Year)

but this is unwieldy and can lead to confusion.

Many organisations are currently in the process of translating legacy databases into RDF



Decidability is a really nice theoretical result, but ...

There are no guarantees about time. A response that is returned too late to be useful is effectively the same as no reply.

In order to be practicably decidable, you need to either

Design your ontology so that reasoning is fast, or
Introduce time-outs and proceed without answers.

But this is the same for non-decidable ontologies!

Fiona McNeill

Multi-agent Semantic Web Systems: Representation





• If we view the SW as a massively connected data store, simple representations are the best:

 \Rightarrow RDF is currently by far the most popular representation.



• If we view the SW as a massively connected data store, simple representations are the best:

 \Rightarrow RDF is currently by far the most popular representation.

• If we view the SW as a kind of multi-agent system, where complex reasoning, planning and acting are going on, much more expressive representations are needed:

 \Rightarrow at least OWL, probably even more expressive



• If we view the SW as a massively connected data store, simple representations are the best:

 \Rightarrow RDF is currently by far the most popular representation.

• If we view the SW as a kind of multi-agent system, where complex reasoning, planning and acting are going on, much more expressive representations are needed:

 \Rightarrow at least OWL, probably even more expressive

• If we require the SW to be both of these things, a mixture of representations is needed.



Finding the best representation is largely a matter of balancing expressivity and efficiency of reasoning.

- There is no 'correct' answer to this problem: the sweet spot depends on what tasks you will be using the representation for.
- *Translating* between different representations, with different levels of expressivity, is possible, but comes at a price.



Consider the small ontology you built as the last task - this was most likely just a taxonomy.

Think about the kinds of things you might want to talk about involving that ontology - e.g., if it was an ontology about places, you might want to talk about travelling to those places.

Without restricting expressivity, write down a few relations that might be relevant - e.g., currency(Country, Currency), or hotel(Name, Location, Cost, Rating)

Think about whether any of these relations are functional. If you had to use a more restrictive representation, would you have to change much?