## **Question Answering**

## Foundations of Natural Language Processing Lecture 15 Distributional Semantics

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- Question What is a good way to remove wine stains?
- Text available to the machine Salt is a great way to eliminate wine stains
- What is hard?
  - words may be related in other ways, including similarity and gradation
  - how to know if words have similar meanings?

# informatics

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## Can we just use a thesaurus?

Problems:

- May not have a thesaurus in every language
- Even if we do, many words and phrases will be missing
- So, let's try to compute similarity automatically.

## Meaning from context(s)

• Consider the example from J&M (quoted from earlier sources):

a bottle of *tezgüino* is on the table everybody likes *tezgüino tezgüino* makes you drunk we make *tezgüino* out of corn

#### **Distributional hypothesis**

- perhaps we can infer meaning just by looking at the contexts a word occurs in
- perhaps meaning IS the contexts a word occurs in (Wittgenstein!)
- either way, similar contexts imply similar meanings:
  - this idea is known as the distributional hypothesis

## "Distribution": a polysemous word

- Probability distribution: a function from outcomes to real numbers
- Linguistic distribution: the set of contexts that a particular item (here, word) occurs in

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## Distributional semantics: basic idea

- Represent each word  $w_i$  as a vector of its contexts
  - distributional semantic models also called vector-space models.
- Ex: each dimension is a context word; = 1 if it co-occurs with  $w_i$ , otherwise 0.

	pet	bone	fur	run	brown	screen	mouse	fetch
$w_1 =$	1	1	1	1	1	0	0	1
$w_2 =$	1	0	1	0	1	0	1	0
$w_3 =$	0	0	0	1	0	1	1	0

• Note: real vectors would be far more sparse

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# Questions to consider

- What defines "context"? (What are the dimensions, what counts as cooccurrence?)
- How to weight the context words (Boolean? counts? other?)
- How to measure similarity between vectors?

Two kinds of co-occurrence between two words:

**First-order co-occurrence:** (syntagmatic association)

• Typically nearby each other *wrote* is a first-order associate of *book* 

**Second-order co-occurrence:** (paradigmatic association)

• Have similar neighbours wrote is a second-order associate of *said* and *remarked* 

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## **Defining the context**

- Usually ignore **stopwords** (function words and other very frequent/uninformative words)
- Usually use a large window around the target word (e.g., 100 words, maybe even whole document)
- But smaller windows allow for relations other than cooccurrence: e.g., dependency relation from parser.
- Note: all of these for *semantic* similarity; for *syntactic* similarity, use a small window (1-3 words) and track *only* frequent words.

## How to weight the context words

- binary indicators not very informative
- presumably more frequent co-occurrences matter more
- but, is frequency good enough?
  - frequent words are expected to have high counts in the context vector
  - regardless of whether they occur more often with this word than with others

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## Collocations

- We want to know which words occur *unusually* often in the context of w: more than we'd expect by chance?
- Put another way, what collocations include *w*?

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## **Mutual information**

• One way: use **pointwise mutual information**:

 $\mathsf{PMI}(x,y) = \log_2 \frac{P(x,y)}{P(x)P(y)} \Leftarrow \text{Actual prob of seeing words } x \text{ and } y \text{ together}$  $\Leftrightarrow \mathsf{Predicted prob of same, if } x \text{ and } y \text{ are indep.}$ 

• PMI tells us how much more/less likely the cooccurrence is than if the words were independent

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#### A problem with PMI

- In practice, PMI is computed with counts (using MLE).
- Result: it is over-sensitive to the chance co-occurrence of infrequent words
- See next slide: ex. PMIs from bigrams with 1 count in 1st 1000 documents of NY Times corpus

#### Example PMIs (Manning & Schütze, 1999, p181)

$I_{1000}$	$w^1$	$w^2$	$w^1 w^2$	Bigram
16.95	5	1	1	Schwartz eschews
15.02	1	19	1	fewest visits
13.78	5	9	1	FIND GARDEN
12.00	5	31	1	Indonesian pieces
9.82	26	27	1	Reds survived
9.21	13	82	1	marijuana growing
7.37	24	159	1	doubt whether
6.68	687	9	1	new converts
6.00	661	15	1	like offensive
3.81	159	283	1	must think

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#### Alternatives to PMI for finding collocations

- There are a lot, all ways of measuring statistical (in)dependence.
  - Student t-test
  - Pearson's  $\chi^2$  statistic
  - Dice coefficient
  - likelihood ratio test (Dunning, 1993)
  - Lin association measure (Lin, 1998)
  - and many more...
- Of those listed here, Dunning LR test probably most reliable for low counts.
- However, which works best may depend on particular application/evaluation.

## Improving PMI

Rather than using a different method, can modify PMI itself to better handle low frequencies.

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- Use positive PMI (PPMI): change all negative PMI values to 0.
  - Because for infrequent words, not enough data to accurately determine negative PMI values.
- Introduce smoothing in PMI computation.
  - See J&M or Levy et al. (2015) for a particularly effective method.

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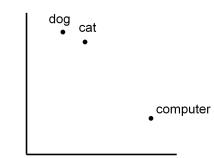
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#### How to measure similarity

- $\bullet\,$  So, let's assume we have context vectors for two words  $\vec{v}$  and  $\vec{w}$
- Each contains PMI (or PPMI) values for all context words
- One way to think of these vectors: as points in high-dimensional space

#### Vector space representation

• Ex. in 2-dim space:  $cat = (v_1, v_2)$ ,  $computer = (w_1, w_2)$ 





### Dot product

• Another possibility: take the dot product of  $\vec{v}$  and  $\vec{w}$ :

 $sim_{DP}(\vec{v}, \vec{w}) = \vec{v} \cdot \vec{w}$  $= \sum_{i} v_{i} w_{i}$ 

- Vectors are longer if they have higher values in each dimension.
- So more frequent words have higher dot products.
- But we don't want a similarity metric that's sensitive to word frequency.



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**Euclidean distance** 

• We could measure (dis)similarity using Euclidean distance:  $\left(\sum_{i}(v_{i}-w_{i})^{2}
ight)^{1/2}$ 

computer

dog

cat

Euclidean

• But doesn't work well if even one dimension has an extreme value

#### Normalized dot product

• Some vectors are longer than others (have higher values):

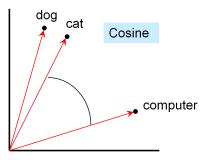
[5, 2.3, 0, 0.2, 2.1] vs. [0.1, 0.3, 1, 0.4, 0.1]

- If vector is context word counts, these will be *frequent* words
- If vector is PMI values, these are likely to be *infrequent* words
- Dot product is generally larger for longer vectors, regardless of similarity
- To correct for this, we **normalize**: divide by the length of each vector:

## $\operatorname{sim}_{\mathsf{NDP}}(\vec{v}, \vec{w}) = (\vec{v} \cdot \vec{w}) / (|\vec{v}| |\vec{w}|)$

## Normalized dot product = cosine

• The normalized dot product is just the cosine of the angle between vectors.



• Ranges from -1 (vectors pointing opposite directions) to 1 (same direction

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## **Evaluation**

- Extrinsic may involve IR, QA, automatic essay marking, ...
- Intrinsic is often a comparison to psycholinguistic data
  - Relatedness judgments
  - Word association



## Other similarity measures

- Again, many alternatives
  - Jaccard measure
  - Dice measure
  - Jenson-Shannon divergence
  - etc.
- Again, may depend on particular application/evaluation

#### **Relatedness judgments**

• Participants are asked, e.g.: on a scale of 1-10, how related are the following concepts?

LEMON FLOWER

- Usually given some examples initially to set the scale , e.g.
  - LEMON-TRUTH = 1
  - LEMON-ORANGE = 10
- But still a funny task, and answers depend a lot on how the question is asked ('related' vs. 'similar' vs. other terms)

### Word association

- Participants see/hear a word, say the first word that comes to mind
- Data collected from lots of people provides probabilities of each answer:

LEMON	⇒	ORANGE SOUR TREE YELLOW TEA JUICE	$\begin{array}{c} 0.16 \\ 0.11 \\ 0.09 \\ 0.08 \\ 0.07 \\ 0.05 \end{array}$
			0.00

Example data from the Edinburgh Associative Thesaurus: http://www.eat.rl.ac.uk/

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### Learning a more compact space

- $\bullet\,$  So far, our vectors have length V, the size of the vocabulary
- Do we really need this many dimensions?
- Can we represent words in a smaller dimensional space that preserves the similarity relationships of the larger space?

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## Comparing to human data

- Human judgments provide a ranked list of related words/associations for each word  $\boldsymbol{w}$
- $\bullet\,$  Computer system provides a ranked list of most similar words to w
- Compute the Spearman rank correlation between the lists (how well do the rankings match?)
- Often report on several data sets, as their details differ

### Latent Semantic Analysis (LSA)

- One of the earliest methods for reducing dimensions while preserving similarity.
- Uses Singular Value Decomposition, a linear-algebra-based method.
- Converts from sparse vectors with 1000s of dimensions to dense vectors with 10s-100s of dimensions.
- LSA representations actually work better than originals for many tasks.
- More details in optional reading: J&M (3rd ed.) Ch 19.5

## Neural network methods

- Recent (and very hyped) new methods for learning reduced-dimensional representations (now often called **embeddings**).
- Ex: train a NN to predict context words based on input word. Use hidden layer(s) as the input word's vector representation.
- Deep mathematical similarities to LSA (Levy and Goldberg, 2014), but can be faster to train.
- Appeared to work better than LSA, but likely due to unfair comparisons (Levy et al., 2015).
- More details in optional reading: J&M (3rd ed.) Ch 19.6-19.7

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### Vector representations in practice

- Very hot topic in NLP
- Embeddings seem to capture both syntactic and semantic information.
- So, used for language modelling and to replace words as 'observations' in parsing and other models.
- As noted in Smoothing lecture: this can provide a kind of similarity-based smoothing (models learn to make similar predictions for similar words).

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## Current work: compositionality

- One definition of collocations: non-compositional phrases
  - White House: not just a house that is white
  - barn raising: involves more than the parts imply
- But a lot of language *is* compositional
  - red barn: just a barn that is red
  - wooden plank: nothing special here
- Can we capture compositionality in a vector space model?

#### Compositionality in a vector space

 $\bullet\,$  More formally, compositionality implies some operator  $\oplus$  such that

 $\operatorname{meaning}(w_1w_2) = \operatorname{meaning}(w_1) \oplus \operatorname{meaning}(w_2)$ 

- Current work investigates possible operators
  - vector addition (doesn't work very well)
  - tensor product
  - nonlinear operations learned by neural networks
- One problem: words like not—themselves more like operators than points in space.

#### **Summary**

- Distributional semantics: represents word meanings as vectors computed from their contexts.
  - Long sparse vectors of counts, PMI values, or others
  - Short dense vectors using LSA, NNets, or others
- Similarity typically measured using cosine distance
- Can work well as input to other systems, but harder to evaluate intrinsically

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