The LISSOM and GCAL Cortical Models

Dr. James A. Bednar

jbednar@inf.ed.ac.uk

http://homepages.inf.ed.ac.uk/jbednar

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Problems with SOM retinotopy

The particular model of SOM retinotopy we've been looking at also has other problems:

- There is no known state when the connections from the eye are evenly distributed across a target region; even the initial connections are roughly retinotopic.
- Activity has relatively little role in this initial establishment of retinotopy, as reviewed on the following slide

In any case, activity appears to be required for map refinement, and it's interesting that in principle an unfolding process like in the SOM simulation could work.

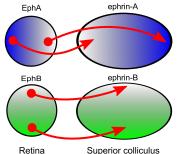
Problems with SOMs

A Kohonen SOM is very limited as a model of cortical function:

- Picking one winner requires a global supervisor, valid only for a tiny patch with very strong lateral inhibition.
- Full connectivity is possible only for tiny cortical networks.
- Lateral interactions are forced to be isotropic, contrary to biological evidence.
- There is no evidence for lateral radius shrinking; in fact the opposite appears to be true: initially diffuse, becoming patchier and longer-range
- The Euclidean distance metric is not clearly relatable to neural firing or synaptic plasticity.

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Mapping via chemoaffinity



- Gradients of chemicals called Ephs and Ephrins provide a 2D coordinate system for the retina and its target area
- Axons find their way to their approximate locations by following the gradients within the target area
- Activity's role appears to be mainly local, affecting the axonal arbor size and shape
- Reviewed in Flanagan 2006; Huberman et al. 2008

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LISSOM

The LISSOM model (Sirosh & Miikkulainen 1994) was designed to remove some of the artificial limitations and biologically unrealistic features of a SOM:

- · Local recurrent lateral interactions, instead of global winner
- Specific lateral connections, instead of isotropic neighborhood
- Spatially localized CFs, instead of full connectivity
- Activation by sigmoided dot product, rather than Euclidean distance
- Learning by simpler Hebbian rule

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GCAL

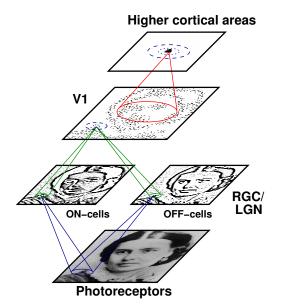
In turn, GCAL (Bednar 2012; Stevens et al. 2013) was designed to remove some of the artificial limitations and biologically unrealistic features of LISSOM:

- Automatic homeostatic plasticity, instead of hand-adjusted thresholds
- No lateral connection radius shrinking or arbitrary changes to learning rates or settling steps over time
- Gain control for realistic behavior with contrast (similar to the afferent normalization of CMVC section 8.2.3)

GCAL is otherwise like LISSOM. The CMVC book and older work all focus on LISSOM, but current work uses GCAL; for this course the distinction is not important.

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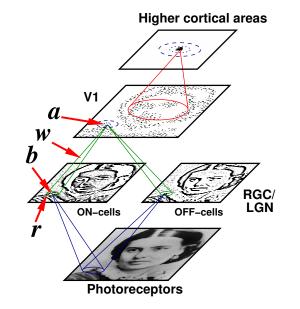
HLISSOM Architecture



Bednar & Miikkulainen, 1995–2004

Preference maps, receptive fields, patchy lateral connections, multiple areas, natural images

HLISSOM Architecture



Activity: thresholded weighted sum of all receptive fields

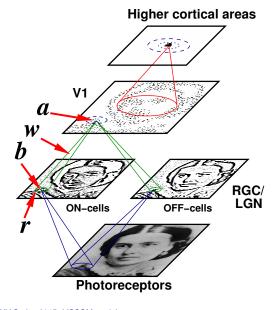
$$\eta_a =$$

$$\sigma\left(\sum_{r}\gamma_{r}\sum_{b}X_{rb}w_{a,rb}
ight)$$

 Response high when input matches weights

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HLISSOM Architecture



Learning:

normalized Hebbian

$$w_{a,rb}(t+1) =$$

$$rac{w_{a,rb}(t) + lpha_r \eta_a X_{rb}}{\sum_c [w_{a,rc}(t) + lpha_r \eta_a X_{rc}]}$$

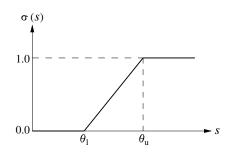
- Coactivation → strong connection
- Normalization:

distributes strength

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Neuron activation function $\sigma(s)$



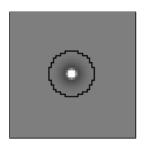
CMVC figure 4

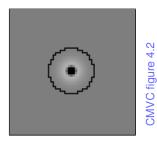
- LISSOM: Easy-to-compute piecewise-linear sigmoid Strongly sensitive to thresholds θ_l and θ_u
- GCAL: No θ_u (approximates s^2) θ_l set automatically to achieve target average firing rate

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Dog RGC/LGN RFs



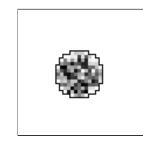


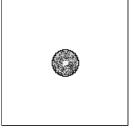
ON neuron

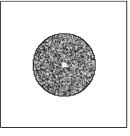
OFF neuron

- Fixed Difference of Gaussians
- Center/surround size ratio based on experimental data
- Precisely balanced center/surround strength ratio (not quite realistic)

Initial V1 weights







CMVC tigu

Afferent (ON and OFF)

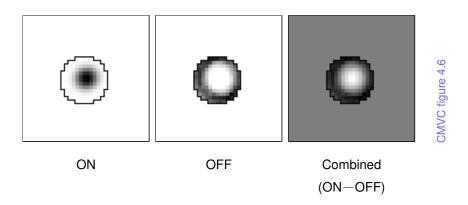
Lateral excitatory

Lateral inhibitory

- Initial rough topographic organization
- Explicit lateral connections
- LISSOM: Initially larger lateral excitatory radius

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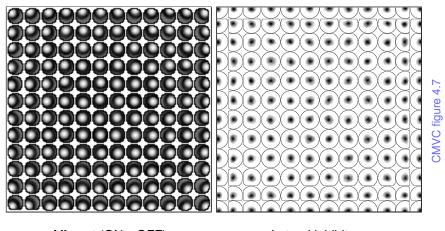
Self-organized V1 afferent weights



Given isotropic Gaussians, learns isotropic Gaussians

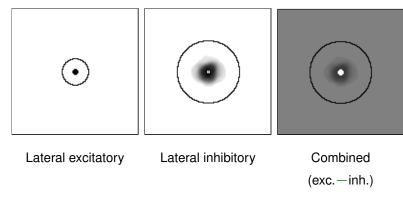
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Self-organized afferent and lateral weights across V1



Afferent (ON-OFF) Lateral inhibitory

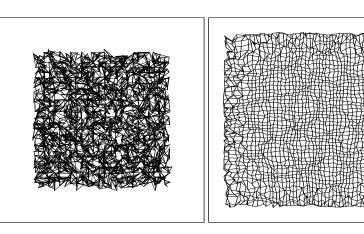
Self-organized V1 lateral weights



- Learns isotropic (Mexican-hat) lateral interactions
- Reflects the flatness of learned map (no folding)

Self-organization of the

retinotopic map

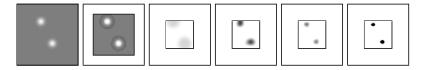


Initial disordered map

Final retinotopic map

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Retinotopy input and response



Retinal LGN Iteration 0: Iteration 0: 10,000: 10,000: activation response Initial V1 Settled V1 Initial V1 Settled V1 response response response response

- Settling process: Sharpens activity around strongly activated patches
- Multiple winners occur for multiple or large input features

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References

Bednar, J. A. (2012). Building a mechanistic model of the development and function of the primary visual cortex. *Journal of Physiology (Paris)*, *106*, 194–211.

Flanagan, J. G. (2006). Neural map specification by gradients. *Current Opinion in Neurobiology*, *16*, 1–8.

Huberman, A. D., Feller, M. B., & Chapman, B. (2008). Mechanisms underlying development of visual maps and receptive fields. *Annual Review of Neuroscience*, *31*, 479–509.

Sirosh, J., & Miikkulainen, R. (1994). Cooperative self-organization of afferent and lateral connections in cortical maps. *Biological Cybernetics*, *71*, 66–78.

Summary

LISSOM/GCAL: same basic process as a SOM, but:

- More plausible
- More powerful:
 - Multiple winners
 - Specific lateral connections
- More computation and memory intensive
- LISSOM: Unfortunately, very sensitive to parameters
- GCAL: Still robust, now due to local gain control and homeostasis, rather than global winner picking

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Stevens, J.-L. R., Law, J. S., Antolik, J., & Bednar, J. A. (2013). Mechanisms for stable, robust, and adaptive development of orientation maps in the primary visual cortex. *Journal of Neuroscience*, *33*, 15747–15766.

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