

Music Informatics

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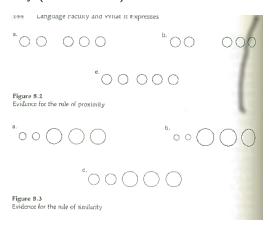


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- Comment on grouping in visual perception.
- ▶ Rhythmic and metrical analysis.

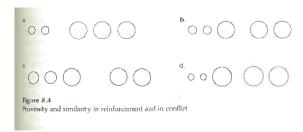


Work from 1920s (Wertheimer) showed that grouping of objects in a visual scene made use of judgements of proximity and similarity. The preference for the grouping is stronger depending on the degree of similarity (as in GTTM).





Similar work shows that these cues can reinforce each other, or point in opposite directions.





We'll now consider the temporal organisation of music. In particular, we'll take a first look at metrical organisation as mostly used in western tonal music.

This is characterised by

- a regular underlying pulse
- a regular hierarchical grouping (and/or subdivision) of pulses
- in groups of 2, 3 or 4

Most people can pick up on dance rhythms, and recognise say the regular 3 pulses in a bar (measure) in a waltz.



Music given a time signature of 6/8 has three levels of grouping, the underlying quaver (eighth not) being grouped in threes, in turn being grouped in twos. Depending on how fast the music is, the listener may tap along at any of these levels – the level at which the pulse is sensed is called the tactus (could be at any of these levels, depending on speed):

 bar:
 x
 | x
 | x
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 | x
 | x
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 |

Here we distinguish between rhythm, as in a (short) sequence of organised duration, and metrical structure which involves longer scale setting up of expectations of hierarchical layers.



Note that this underlying framework can be part of the organisation even when the notes played do not coincide with the beginning of the metrical units (as in syncopated music). This organisation is also heard to persist even during a slowing down or speeding up of the underlying pulse.

For a lengthier account of the issues, see for example in pp 22-26, Scruton, Aesthetics of Music, OUP, 1997. Scruton points out that the German philosopher Leibniz described music as "a kind of unconscious calculation": the beat is thus measured out, during the stretching and contraction of time found especially in romantic music of the 19th century (rubato).



All this suggests that it is a hard task to analyse metrical structure by computer, even under the simplifying assumptions made so far. Notice that the task involves a cognitive dimension: how is the metre experienced? And the answer is probably different for different people.

However, to create a good test situation we can follow Longuet-Higgins (Mental Processes, MIT Press, 1987).

Although this is old work, it is a good example of experiments with a hand-crafted rule set, designed to correspond to judgements of human musical listeners (familiar with music of a particular style). So, no machine learning here ...



The problem set starts from music with a score, and given time signature, so that:

- we know the composer's own specification
- there is a single line of music
- the music involves little or no differentiation in volume (no strong accents)



Longuet-Higgins (and Steedman) looked at analysing the metre from the initial statement of the fugues from Bach's 48 Preludes and Fugues. At that point of each piece, there is only a single line being played; these were played on early keyboard instruments originally (clavichord, which does not have a big dynamic range, & harpsichord where the volume is fixed).

To further simplify, take as input a sequence of durations as multiples of an appropriate unit of time. This means that it is given in the input that the semiquaver is half the length of the quaver, for example. But no information about the time signature or bar-lines is given.



Bach Fugue C minor, book 1 of the 48

Subject of fugue (first two bars only 1 voice)





Some terminology, related to terms from syllable lengths (the names are not important here):

- dactyl: long, short, short
 (where the last short is recognised as short because another note starts quickly)
- spondee: long, short (not followed by another short)

This is still underdefined:

- for example what about lengths [4,2,1,1...]?
- Is the 4,2,1 a dactyl?



Because in the Bach example these are the first notes the listener hears, and the aim is to model perception, it is expected that:

- the listener builds up the analysis incrementally
- the lower levels (shorter scale) are perceived first
- higher levels are built on lower levels at acceptable multiples of the current level's pulse



Why does this make sense as a model of understanding metre?

The claim is that

The progressive nature of the listener's comprehension is made explicit in an assumption about the permitted order of musical events in an acceptable melody. This assumption we call the "rules of congruence", and it is fundamental to the operation of both our harmonic and our metrical rules.

Longuet-Higgins and Steedman, p 84 of L-H above

Thus a note that fits the metre locally is congruent; a note which is stressed rhythmically by the context, but not by the local metre (syncopated) is metrically non-congruent.



The outcome could be any of these:

- time signature and bar-lines as in metrical analysis
- time signature and bar-lines as in metrical analysis, with grouping of bars
- time signature as in metrical analysis, but out of phase (eg
 4/4 with bar-line displaced by half bar)
- metrical analysis correct but stopping beneath level of bar
- metrical analysis wrong at some level of the hierarchy (second better than first, if right?, others not so good, last worst)



Suppose we are at start of subject, or at start of current metrical unit, and first 3 notes are n1, n2, n3:

```
if at start of dactyl
   if duration of dactyl good multiple of current unit
      adopt duration as higher metrical unit
   else if len n1 - (len n2 + len n3) good multiple
         adopt this length as higher metrical unit
if at start of spondee
   if len n1 - len n2 is good multiple
      adopt this as higher metrical level
if neither of above,
  & first note lasts n current metrical units
      if n is good multiple
        adopt this as higher metrical level
otherwise keep current metrical analysis,
           and move to next pulse at this level.
```



Look at fugue 2, book 1, (C minor). The input is:

- * First note: establish 1 as initial length
- * Note 2 conforms
- * Note 3 doubles length, and starts new metrical level
- * Note 5 is start of dactyl; double length, start new level

Note that the crotchet (4) does not disturb this analysis, because it is not at the start of a pulse at the established level.

So analysis here gives:

nts: $x \times x$ х X $x \times x$ 11: 12: X X x X х х х х X х 13: X х X X x X X



The algorithm so far does not go higher in the hierarchy. But listeners do hear at least another level.

A further stage involves marking metrical units themselves, and not just individual notes. Say a unit is marked for accent if a note or dactyl starts at the beginning, and lasts throughout the unit. Now use the "isolated accent rule":

if a unit is marked for accent
 and is followed by 1 or more unmarked units
 which are followed by a marked unit
 which is followed by an unmarked unit
then the interval between start of marked units
 forms a new level in the metrical hierarchy



In the fugue at hand, the isolated accent rule applies between notes number 5 (start of [2,1,1]) and and 10 (another [2,1,1]) and this establishes metrical level of minim (the half bar level in Bach's notation).

Units marked for accent marked by A:

```
nts:
                              x \times x
                                        x
                                             x
                                                  x x x
                                                                  x x x
                                                                                  x x x
11:
12:
              x
                   X
                             X
                                   х
                                        х
                                             х
                                                  Х
                                                        х
                                                             x
                                                                            X
                                                                                  X
                                                                                       х
                                                                       х
13:
                        х
                                   х
                                             х
                                                       х
                                                                            х
                                                                                       х
                                                                  х
                        Α
                                             A
```



The new analysis:

```
nts:
                                 x \times x
                                             х
                                                   X
                                                         x \times x
                                                                          x \times x
                                                                                            x \times x
11:
12:
                x
                      х
                           х
                                 Х
                                       Х
                                             х
                                                   х
                                                         Х
                                                              х
                                                                    Х
                                                                          х
                                                                                Х
                                                                                      Х
                                                                                                 Х
13:
                           х
                                       х
                                                   х
                                                              x
                                                                          х
                                                                                      х
                                                                                                 х
14:
                           х
                                                   х
                                                                          х
                                                                                                 х
```

This is a reasonable final analysis, though it is at the half-bar level.



Notice that if we take the input starting later, we can get a different analysis. Suppose we start as follows:



Now the "off-beat" dactyl is heard before the higher level is established, so we get a different analysis at level 3 (13).



This algorithm was run on the 48 examples in Bach's 48 preludes and fugues.

- Mostly analysis is correct, stopping at at sub-bar level.
- Sometimes gets Bach's given metre, or grouping of bars.
- Some "interesting mistakes".



The algorithm can be seen as a way to parse a particular sort of metrical structure.

It does not allow ambiguity, but sticks with an initial analysis, even when later evidence mounts up against this.

The algorithm can be extended to maintain different metrical hypotheses, where one wins out, perhaps displacing earlier leading candidates.



This is analogous to "garden path" sentences in natural language, where parts of sentences are understood one way during incremental analysis, only for that analysis to be discarded later on when more information is available.

Compare:

The man who hunts ducks . . .

completed as ...

The man who hunts ducks out on weekends.

The deliberate play on metrical (and other sorts of) ambiguity in music is more prevalent in music than in natural language, and is part of what makes music interesting (and difficult to process by machine).



For an example where the initial metrical analysis is contradicted by subsequent rhythmic input, look at paper by Peter Vazan, Michael F. Schober, "Detecting and resolving metrical ambiguity in a rock song upon multiple rehearing".

http://www.icmpc8.umn.edu/proceedings/ICMPC8/PDF/AUTHOR/MP040242.PDF



Some other problems in metrical analysis are illustrated by the following example from Ravel, with simultaneous presence of different temporal organisations. How could adapt the earlier ideas to analyse music like this?

Listen to repeated pattern of four equal notes at the start of Ravel's "Rapsodie Espagnole".

Now listen on, and note the time signature which is not what the listener expects from hearing the initial section of music.







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- Converting between representations.
- Metrical organisation in WTM
- Metrical "parsing" and metrical ambiguity.