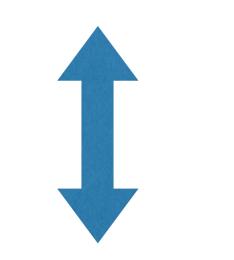
# Probabilistic Machine Learning (theory and practice)

Charles Sutton Introduction to Research in Data Science University of Edinburgh

### New methodology



New applications

- New model types
- Inference algorithms (e.g., high dimensional, streaming)
- Approximate learning methods

- Analyzing computer programs
- Data mining
- Exploratory data analysis
- Home energy demand
- Computer security

# Syntactic Idioms in Code

```
IfStatement
if (c != null) {
                                               expression:
                                                                                                    E
  trv {
                                               ∟c!=null
  if (c.moveToFirst()) {
                                               then:Block
    number = c.getString(
               c.getColumnIndex(
                                                TryStatement
                phoneColumn));
                                                  body:IfStatement
   }
                                                    expr:MethodInvocation
  } finally {
   c.close();
                                                     expr:var%android.database.Cursor%
  }
                                                     name:c
}
                                                    name:moveToFirst
. . .
                                                    then:Block
                 (a)
                                                   _number = c.getString(c.getColumnIndex(phoneColumn));
                                                  finally:Block
try {
                                                    ExpressionStatement
  if ($(Cursor).moveToFirst()) {
     $BODY$
                                                    MethodInvocation
  }
                                                       expr:var%android.database.Cursor%
} finally {
   $(Cursor).close();
                                                       name:c
}
                                                      name:close
```

Allamanis and Sutton, FSE 2014

## Example Idioms

### From: Nonparametric Bayesian Tree Substitution Grammar [Post and Gildea, 2009; Cohn et al, 2010]

channel=connection.
 createChannel();

Elements \$name=\$(Element).
 select(\$StringLit);

Transaction tx=ConnectionFactory.
getDatabase().beginTx();

(a)
catch (Exception e){
 \$(Transaction).failure();
}

(d)

Location.distanceBetween( \$BOI \$(Location).getLatitude(), }fina \$(Location).getLongitude(), \$(Re \$...); }

(g)

ConnectionFactory factory =
 new ConnectionFactory();
\$methodInvoc();
Connection connection =
 factory.newConnection();

(j)

(b)
SearchSourceBuilder builder=
getQueryTranslator().build(
 \$(ContentIndexQuery));

#### (e)

try{
 \$BODY\$
}finally{
 \$(RevWalk).release();
}

while (\$(ModelNode) != null){
 if (\$(ModelNode) == limit)
 break;
 \$ifstatement
 \$(ModelNode)=\$(ModelNode)
 .getParentModelNode();
}

(h)

(k)

#### (c)

LocationManager \$name =
 (LocationManager)getSystemService(
 Context.LOCATION\_SERVICE);

#### (f)

try{
 Node \$name=\$methodInvoc();
 \$BODY\$
}finally{
 \$(Transaction).finish();
}

(i)

Document doc=Jsoup.connect(URL).
 userAgent("Mozilla").
 header("Accept","text/html").
 get();

#### (1)

Allamanis and Sutton, FSE 2014

# **Bayesian Melding**

[Poole and Raftery, 2000]

Deterministic simulation  $\tau = f(S)$ .

e.g., S contains population at time 0 and growth rate

 $\tau$  is population at time T

Two sources of information about  $\, au$ 

1. Information about S, which implies information about  $\tau$  via f  $p_S(S) \xrightarrow{f} p_\tau^*(\tau)$ 

2. Direct measurements of  $\tau$ 

### $p_{\tau}(\tau)$

How to combine? Geometric average.

 $\widetilde{p}_{\tau}(\tau) \propto p_{\tau}^*(\tau)^{\alpha} p_{\tau}(\tau)^{1-\alpha}$ 

How does this yield a distribution on S?

$$\widetilde{p}_S(S) = c_\alpha p_S(S) \left(\frac{p_\tau(f(S))}{p_\tau^*(f(S))}\right)^{1-\alpha}$$

# Latent Bayesian Melding

[Zhong, Goddard, Sutton, NIPS 2015]

Instead, model using a latent variable

 $p_{\tau}(\tau) = \int p_{\xi}(\xi) p(\tau|\xi) d\xi.$ 

Ex of latent: Maybe different subpopulations have different growth rates.

Following the standard BM approach intractable, so we take an approximation:

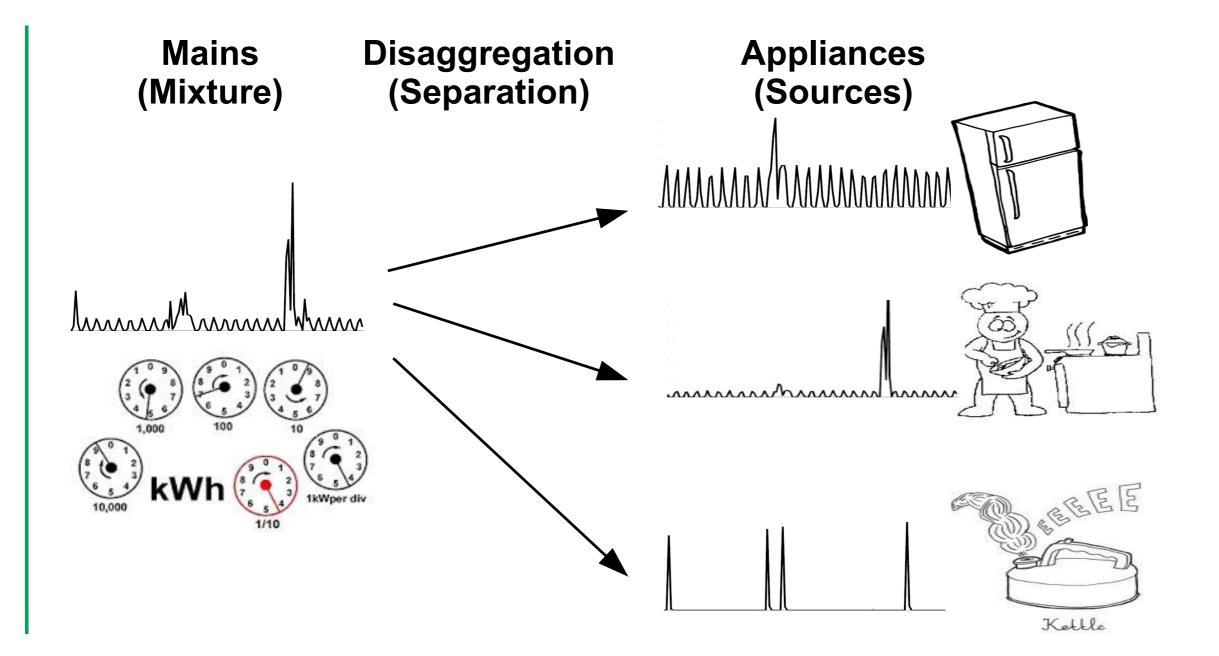
$$\widetilde{p}_S(S) \approx \max_{\xi} \widetilde{p}_{S,\xi}(S,\xi) = \max_{\xi} c_{\alpha} p_S(S) \left( \frac{p_{\tau}(f(S)|\xi)p(\xi)}{p_{\tau}^*(f(S))} \right)^{1-\alpha}$$

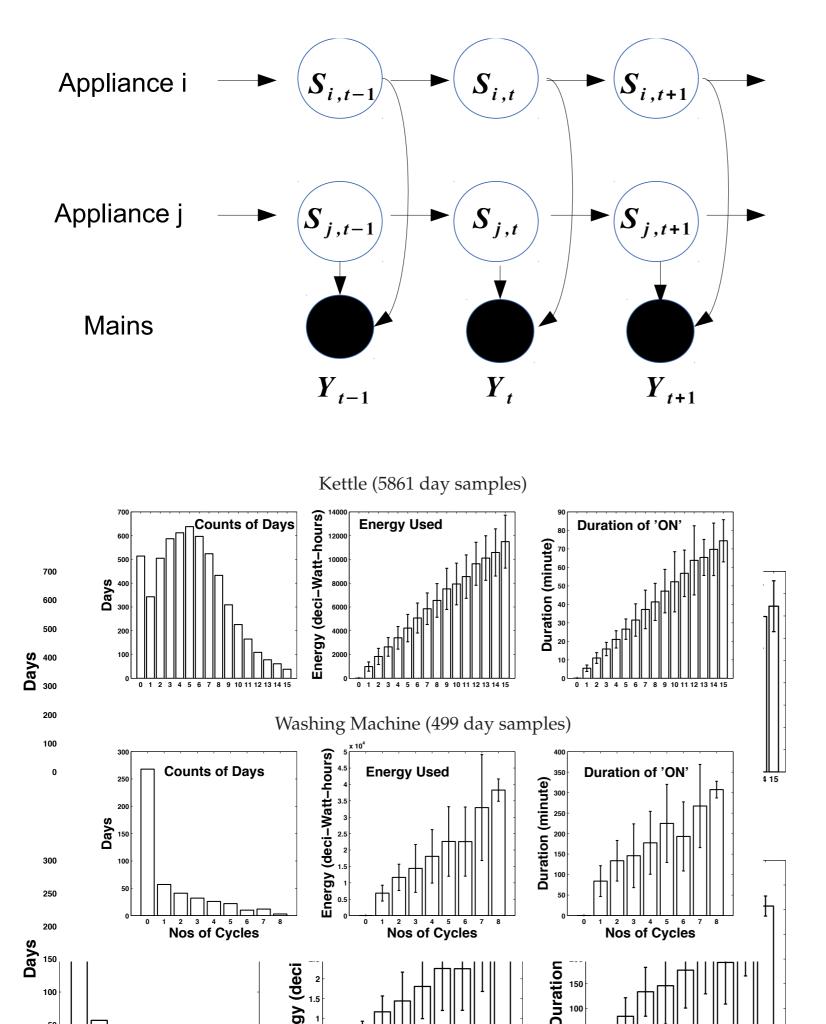
This yields an integer linear program that we can relax (for our application)



Feedback generationGraphs and images

- Text and captions
- Drill-down





Model 1  $p_S(S)$ 

### f

count how many times appliance turns on in *S* 

count how much energy appliance uses in *S* 

Model 2  $p_{\tau}(\tau) = \int p_{\xi}(\xi) p(\tau|\xi) d\xi.$ 

- Using machine learning to make programming better
  - ML / NLP for programming languages
  - Combining program analysis with probabilistic machine learning
  - Find patterns in program executions: debugging
- Using machine learning to make machine learning better
  - Deep learning: Combining neural networks with prior knowledge
    - "interpretability bias"
  - Learning how to clean data
  - Interactive machine learning
  - Tools for monitoring models over time
  - Unsupervised and weakly supervised learning
- Using machine learning to make the world better
  - ML for computer security, NLP, sustainable energy...