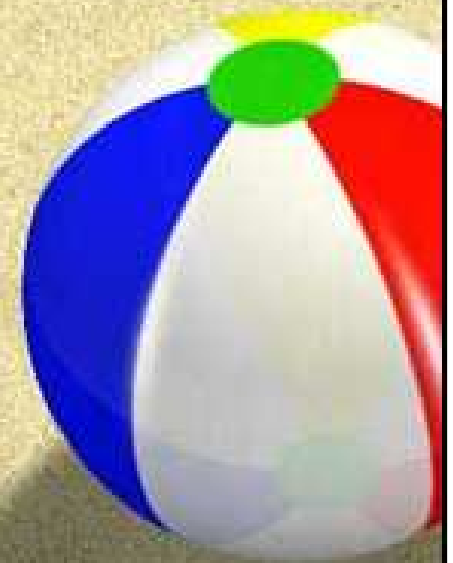


*Statement Coverage*

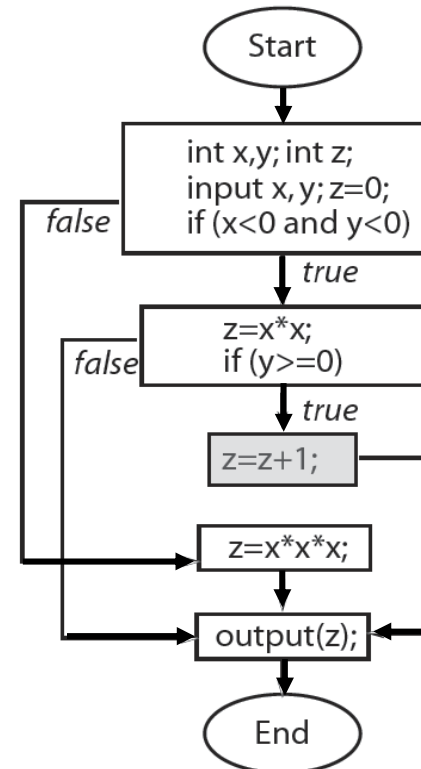


## Statement Coverage: Computation

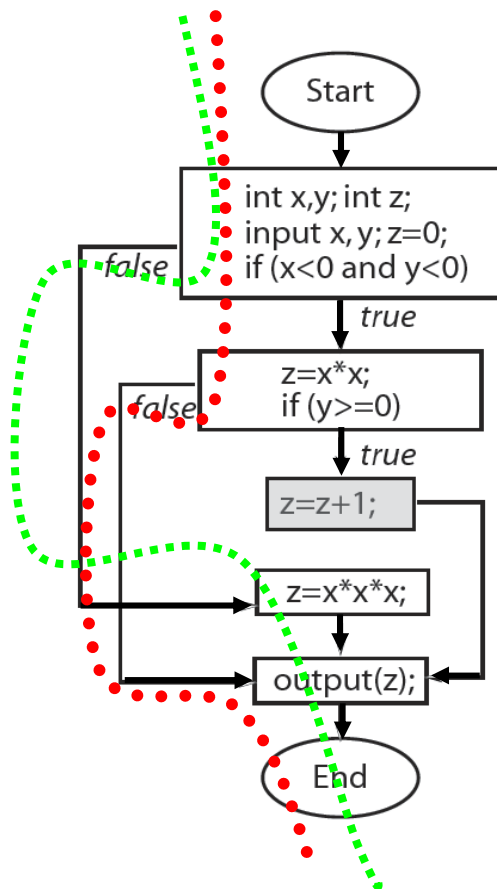
- The statement coverage of a test set  $T$  with respect to  $(P, R)$  is computed as  $S_c / (S_e - S_i)$ , where
  - $S_c$  is the number of statements covered,
  - $S_i$  is the number of *infeasible (unreachable) statements*, and
  - $S_e$  is the *total number of executable statements* in the program to be tested.
- $T$  is considered adequate with respect to the statement coverage criterion if the statement coverage of  $T$  with respect to  $(P, R)$  is 1 (i.e., 100%).

## Statement Coverage: An Example

```
1   begin
2   int X, Y;
3   int Z;
4   input (X, Y);
5   Z = 0;
6   if (X < 0 and Y < 0) {
7       Z = X*X;
8       if (Y >= 0)
9           Z = Z + 1;
10  }
11  else
12      Z = X*X*X;
13  output (Z);
14  end
```

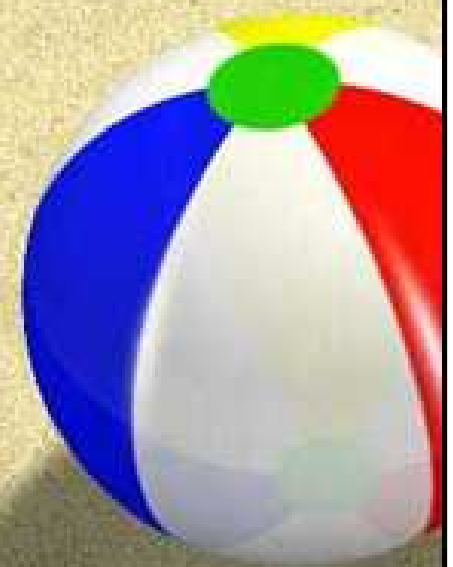


## Statement Coverage: An Example (cont'd)



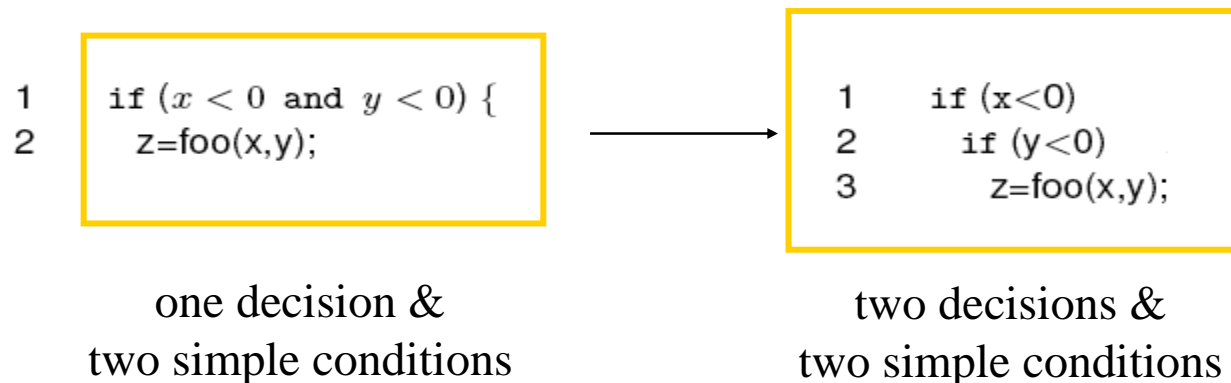
- $S_e = \{4, 5, 6, 7, 8, 9, 12, 13\}$   
Let  $T_1 = \{t_1: \langle x = -1, y = -1 \rangle, t_2: \langle x = 1, y = 1 \rangle\}$
- Statements covered:
  - $t_1$ : follow the red line
  - $t_2$ : follow the green line
- $S_c = 7, S_i = 1, S_e = 8$ . The statement coverage for  $T_1$  is  $7/(8 - 1) = 1$
- Note that 9 is infeasible
- Thus, we conclude that  $T_1$  is adequate with respect to the statement coverage criterion.

*Decision Coverage*



## Decision versus Simple Condition

- A decision can be composed of *a simple condition* such as  $x < 0$ , or of *a more complex condition*, such as  $(x < 0 \text{ AND } y < 0)$ .
- A simple condition is considered covered if it evaluates to *true* and *false* in one or more executions of the program in which it occurs.
- A *compound condition* is considered covered if each *simple condition* it is comprised of is also covered.



## How to Cover a Decision?

- A decision is considered **covered** if the flow of control has been diverted to **all possible destinations** that correspond to this decision, i.e., *all outcomes of the decision have been taken*.
- This implies that, for example, the expression in the *if* or a *while* statement has evaluated to *true* in some execution of the program under test and to *false* in the same or another execution.
  - Examples
    - `if (x < 0) {.....}`
    - `if ((x<0) and (y>0) {.....}`
    - `while (x < 3) {.....}`

## Decision Coverage: Computation

- The decision coverage of a test set  $T$  with respect to  $(P, R)$  is computed as  $D_c / (D_e - D_i)$ , where
  - $D_c$  is the number of decisions covered,
  - $D_i$  is the number of *infeasible decisions*, and
  - $D_e$  is the *total number of decisions* in the program to be tested.
- $T$  is considered adequate with respect to the decision coverage criterion if the decision coverage of  $T$  with respect to  $(P, R)$  is 1 (i.e., 100%).



## Quiz

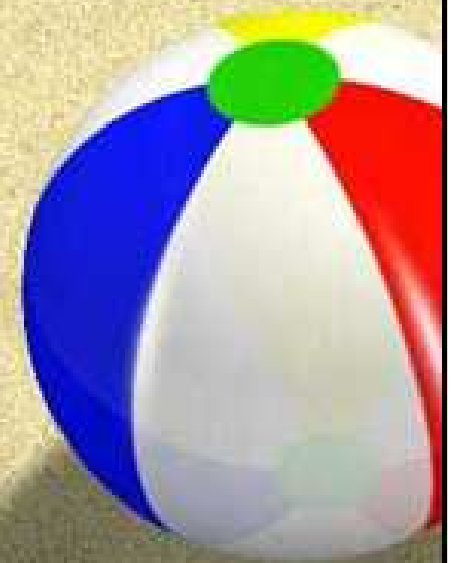
- Consider the following program and a test set

```
1  begin
2  int x, y, z;
3  input (x, y);
4  if(x<0 or y<0)
5    z=foo-1(x,y);
6  else
7    z=foo-2(x,y);
8  output(z);
9  end
```

$$T = \left\{ \begin{array}{l} t_1 : \langle x = -3 \quad y = -2 \rangle \\ t_2 : \langle x = 4 \quad y = -2 \rangle \end{array} \right\}$$

- Is  $T$  adequate with respect to decision coverage?

*Statement Coverage*  
*versus*  
*Decision Coverage*



## *A Program with a Bug*

- This following program inputs an integer  $x$ 
  - if  $x < 0$ , transforms it into a positive value before invoking `foo-1` to compute the output  $z$
  - if  $x \geq 0$ , compute  $z$  using `foo-2`

```
1  begin
2  int x, z;
3  input (x);
4  if(x<0)
5  x =-x;
6  z=foo-1(x);
7  output(z);
8  end
```

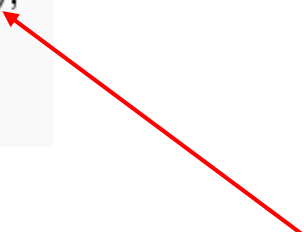
*Where is the bug?*

**There should have been an else clause for  $x \geq 0$  before this statement.**

## Is Statement Coverage Sufficient?

- Consider a test set  $T = \{t_1: \langle x = -5 \rangle\}$ .
- It is adequate with respect to *statement* coverage criterion, but does not reveal the bug.

```
1  begin
2  int x, z;
3  input (x);
4  if(x<0)
5  x =-x;
6  z=foo-1(x);
7  output(z);
8  end
```

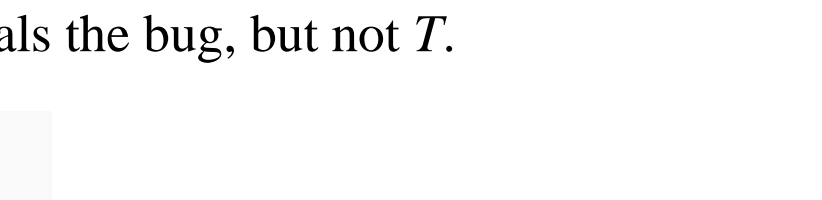


**There should have been an *else* clause for  $x \geq 0$  before this statement.**

## Is Decision Coverage Sufficient?

- Consider another test set  $T' = \{t_1: \langle x = -5 \rangle \quad t_2: \langle x = 3 \rangle\}$
- $T'$  is decision adequate, but not  $T$ .
- Also,  $T'$  reveals the bug, but not  $T$ .

```
1  begin
2  int x, z;
3  input (x);
4  if(x<0)
5  x =-x;
6  z=foo-1(x);
7  output(z);
8  end
```



There should have been an *else* clause for  $x \geq 0$  before this statement.

- This example illustrates *how and why decision coverage might help in revealing a bug that is not revealed* by a test set adequate with respect to *statement coverage*.