# Informatics 1 <br> Functional Programming Lecture 2 

## Functions

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## Part I

## Functions

## What is a function?

- A recipe for generating an output from inputs:
"Multiply a number by itself"
- A set of (input, output) pairs:
$(1,1)(2,4)(3,9)(4,16)(5,25) \ldots$
- An equation:

$$
f x=x^{2}
$$

- A graph relating inputs to output (for numbers only):



## Kinds of data

- Integers: 42, -69
- Floats: 3.14
- Characters: ' h '
- Strings: "hello"
- Booleans: True, False
- Pictures:


## Applying a function

```
invert :: Picture -> Picture
knight :: Picture
invert knight
```


invert is a function. Every value in Haskell has a type, maybe more than one. We write value :: type.
A type is a category of values. Types of functions contain arrows.
When we write an expression (example: invert knight) then Haskell will complain if it can't make sense of the types.

## Composing functions

```
beside :: Picture -> Picture -> Picture
flipV :: Picture -> Picture
invert :: Picture -> Picture
knight :: Picture
beside (invert knight) (flipV knight)
```


beside is a function with two arguments. There is a reason for writing the type this way, to be explained later.

## Defining a new function

```
double :: Picture -> Picture
double p = beside (invert p) (flipV p)
double knight
```



Functions are defined using equations. The variable name (p) is irrelevant - we could use pic or $x$ instead. double produces the picture we had before, but packaged to work on any picture, not just knight.

## Defining a new function

```
double :: Picture -> Picture
double p = beside (invert p) (flipV p)
double knight
```



We could write beside as an infix function instead:
double $p=($ invert $p$ ) `beside` (flipV p)
Any function can be written as infix by enclosing it in backquotes.

## Terminology

## Type signature

double :: Picture -> Picture

Function declaration


## Terminology



