# Genetic Algorithms and Genetic Programming Lecture 11

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# Lectures 11 and 12 : Designing a GA

- When should a GA be used?
- What to represent and how to represent it
  - Encoding the candidates
- The mechanics
  - Evaluating the candidates
  - Selection of the fittest
  - Crossover operators
  - Mutation operators
  - Population models
- The parameters
  - Setting the parameters



- Evaluating the system
  - Did it work? How do we know?
  - How many experiments should we do?
- Summing up



### When should a GA be used?

- Large or very large search space Noughts and crosses vs. protein folding
- A sufficiently good solution is good enough Exam timetabling
- Fitness landscape is not smooth and unimodal Optimal headphone loudness vs. setting value on a mixing desk
- Fitness landscape is poorly understood Find Flatiron building in Manhattan vs. Paris Left Bank bistro
- Fitness function is noisy and/or complex
  Sensory input or performance in noisy/unpredictable world



- No good algorithms exist to solve the problem Timetabling?
- Good local search operators exist Building a plan
- The problem is weakly compositional TSP vs. Lottery Extra

♠ Linux kernel tuning using a GA (Moilanen): chromosome is string of Linux kernel internal settings, fitness function is performance under some workload (benchmark workloads)

♠ TSP, knapsack, bin-packing, design of concert-hall acoustics, (simulated) F1 cars



## **Representation: Encoding the candidates 1**

#### What shall we represent?

- The knapsack problem
- Exam timetabling
- Layout of plants and trees in a plot in JCMB



# **Representation: Encoding the candidates 2**

#### How shall we represent it?

- Fixed-length linear binary encodings Unnatural. Unnatural orderings. Hamming cliff. Gray codes? Theory exists
- Fixed-length linear non-binary encodings Real values or characters. NN weights or grammars
- Variable length linear non-binary encodings Plans, Prisoner's Dilemma
- Tree-based chromosomes

GP. Open-ended search space. But unwieldy trees, much junk

Intuition: encode solution in the most natural way possible, then create genetic operators to make it work.



### Mechanics: Evaluating the Candidates 1

- Need
  - A set of configurations C the chromosomes
  - A fitness function  $f: C \to \Re$
  - An additional geometrical/topological/algebraic structure N on C that allows us to define which chromosomes are neighbours i.e. what says that chromosome A should be arrayed next to chromosome B on our picture of the fitness landscape? How similar are two chromosomes? (Stadler: landscape theory)
- Single candidate fitness function,  $f(c_i)$ 
  - The more fine-grained, the better
  - Should push towards better solutions
- Fitness function, neighbourhood structure, operators all interact



#### Mechanics: Evaluating the Candidates 2

- We might use fitness sharing for multiple solutions prevent premature convergence
  - Fitness = Raw fitness/(Some measure of how many others are similar)
  - Reward difference. Speciation. Explore several local maxima
- Round Robin competitions for strategies
- Decode genotype into phenotype and evaluate that



#### **Mechanics: Deceptive Fitness Functions**

Fitness function: estimate of how far it is to the global optimum. What if our estimate is not so good?





#### **Mechanics: Fitness Distance Correlation**

Assume you have a set of fitnesses  $F = f1, f2, \ldots$  and a set of known distances to the global optimum  $D = d1, d2, \ldots$ 

$$FDC = \frac{C}{SF \times SD}$$

SF and SD are the standard deviation of F and D respectively and

$$C = \frac{1}{n} \sum_{i=1}^{n} (f_i - \bar{f})(d_i - \bar{d})$$

where  $\overline{f}$  and  $\overline{d}$  are the means of F and D. C is the covariance of F and D. Ideally, FDC = -1. (Why?) Maximally **deceptive** fitness functions: FDC = 1.

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# Mechanics: Selection Method

Aim: choose parents. Emphasise fitter ones. Balance exploitation and exploration.

- Fitness-proportionate selection Often premature convergence
- Rank-based selection

$$\label{eq:Fitness} \begin{split} & {\sf Fitness}(i) = {\sf Min} + ({\sf Max} - {\sf Min})({\sf Rank}(i) - 1)/({\sf N-1}) \mbox{ then do FPS} \\ & {\sf Max} \mbox{ and Min are chosen by you.} \\ & {\sf Can also do exponential scaling.} \\ & {\sf Preserves diversity, slows selection pressure} \end{split}$$

• Tournament selection

Select k individuals. Fittest m go into intermediate population (perhaps



with some probability)

Less computationally expensive (don't evaluate all chroms.)

• Uniform selection

Lowest/highest fitness in current generation is Min, Max. Select a fitness f uniformly in [Min, Max]. Individual with closest fitness to f is chosen. Maintains genetic diversity – we only want **one** solution of maximal fitness

• Elitism

Copy some number of fittest individuals into intermediate or next-generation population

Don't lose good solutions when we've found them until we find better solutions

• and others, e.g. combinations of the above



### Mechanics: Selection Method Considerations

- Selection pressure avoid premature convergence, maintain diversity, exploration vs. exploitation How would we detect premature convergence?
- Takeover time till best individual replaces all others Is the best individual good enough?



### Mechanics: Crossover

- Single-point, Two-point
- Uniform: choose each child gene with probability p from parent 1
- Try to preserve building blocks (but avoid hitch-hiking)

Attempts to make crossover less disruptive:

- Brood crossover: 2 parents produce several offspring, fittest 2 chosen
- Elite crossover: put offspring into pool with parents, select fittest 2
- Intelligent crossover: crossover hotspots a template for crossover points that is also evolved



## **Mechanics: Mutation Operator**

- Original aim: to preserve diversity
- Can end up solving the problem
- Allele (point) mutation
- Reordering mutations inversion or cycling
- Swap mutations swap 2 random positions
- Intelligent mutations
  - encode  $p_{m}% \left( \mathbf{r}_{m}\right) =p_{m}^{2}\left( \mathbf{r}_{m}^{2}\right) =p_{m}^{2}\left( \mathbf{r}_{m}^{2}\right$
  - use a schedule to change  $p_m$  as a function of time
  - or as a function of fitness
- Choose to suit the problem [To be continued...]