# FMCS 1-Maths 06/07: Assignment 1 

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## Matrix transformations and distances

a) Write down the matrix $R$ for a rotation in two dimensions over an angle of $\pi / 4$. Check that the determinant of the matrix equals one.
b) Given two vectors $\mathbf{u}=(\mathbf{0}, \mathbf{1})$ and $\mathbf{v}=(2,2)$. Calculate the length of the vectors and their distance, using the Euclidian distance, the Manhattan distance and the chess board distance.
c) Calculate $R \mathbf{u}$ and $R \mathbf{v}$, sketch the original vectors and the transformed ones.
d) Calculate the length of the transformed vectors, and their distance using the three methods used above. Which distance is invariant under the rotation?

