Extreme Computing Joins and Fault Tolerance

Cluster

Theoretically working Tasks fail occasionally, but (correct) jobs should run

Lab Sizes

Mon 09:00-09:50: 2 showed up, cancelled in future weeks

- Mon 10:00-10:50: 29
- Tue 14:10-15:00: 34
- Wed 10:00-10:50: 12
- Wed 14:10-15:00: 22
- Thu 09:00-09:50: 9
- Thu 11:10-12:00: 11
- Fri 11:10-12:00: 13

Joins

How do we combine data sets in MapReduce?

It depends on how big each is...

Old Exam Question

You are provided with a set of interesting words and a large text file. The task is to count how many times each interesting word appears in the text file.

Hash Join

Load set of interesting words into RAM on each mapper:

```
#!/usr/bin/python3
import sys
interesting = set()
for word in open("interesting.txt"):
    interesting.add(word.strip())
```

```
for line in sys.stdin:
  for word in line.split():
    if word in interesting:
        print(word + "\t1")
```

Hash Join Efficiency

- ✓ Limits traffic to reducers
- 🖌 Fast
- ✗ Table needs to fit in RAM
- X Table copied to all mappers

Good plan for joining small data with large data

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Can also query over the network...more later

Sorted Join in Mapper

Which words are used more in YouTube comments than Yahoo answers?

We already ran word count on each with the same sorting and partitioning.



Sorted Join in Mapper: Efficiency

- ✓ Fast (faster than hash join)
- 🗸 Large data
- ✓ Limits traffic to reducers (or no reducers)
- Input must be sorted the same way
- Input must be partitioned the same way

Best plan if the data is already sorted and partitioned this way. \implies Plan ahead!

Reducer Join

Already ran word count on YouTube and Yahoo answers. But partitioned it differently \rightarrow reduce join

Map: (word, count) → (word, corpus, count)
Partition: word
Sort: (word, corpus)
Reduce: Divide counts

(We've seen this before with Alice and Bob)

Reducer Join: Efficiency

- X Slow
- X Data copied over network
- ✓ Large data
- 🗸 General

Three Join Strategies

Sorted and partitioned same way?Sorted Join in MapIs one side small? \rightarrow Hash Join in MapGeneral problem \rightarrow Reducer Join (which is sorted)

Bloom Filters

A Problem Interesting words do not fit in RAM, still want to do a hash join.

In General

Efficiently represent a set with some false positives.

Bloom Filter Represent a set, probabilistically.

insert(key) Add key to the set.

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$\label{eq:Usage} \begin{array}{l} \text{Usage} \\ \text{Ask a Bloom filter locally.} \\ \textbf{no Key is definitely not found} \rightarrow \textbf{avoid network.} \\ \textbf{maybe Ask the network.} \end{array}$

Bit Array		

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Not done yet:

- Need multiple hash functions.
- What is the false-positive probability?
- How many hash functions?

Multiple Hash Functions?

We need independent hash functions:

 $h_1(\texttt{the}), h_2(\texttt{the}), h_3(\texttt{the}), \dots$

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Just use one good hash function h and concatenate with key:

 $h(1_{key}), h(2_{key}), h(3_{key}), \dots$

The optimal number of hashes is

hashes
$$\approx \frac{\text{bits}}{\text{entries}} \ln 2$$

To satisfy false-positive probability p, Bloom filters use

$$pprox rac{-\log_2 p}{\ln 2}$$

bits per key.

Don't worry about the exact equations. But deriving them is fun!



Joins 000000000

Summary

Approximately represent a very large set in small memory.

Used to reduce expensive lookups in SSTable, BigTable, ...

Also useful in isolation for error-tolerant tasks.