

# Distributed Systems

## Failure detection & Leader Election

Rik Sarkar

University of Edinburgh

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# Failures

- How do we know that something has failed?
- Let's see what we mean by *failed*:
- Models of failure:
  1. Assume no failures
  2. Crash failures: Process may fail/crash
  3. Message failures: Messages may get dropped
  4. Link failures: a communication link stops working
  5. Some combinations of 2,3,4
  6. More complex models can have recovery from failures
  7. Arbitrary failures: computation/communication may be erroneous

# Failure detectors

- Detection of a crashed process
  - (not one working erroneously)
- A major challenge in distributed systems
- A failure detector is a process that responds to questions asking whether a given process has failed
  - A failure detector is not necessarily accurate

# Failure detectors

- Reliable failure detectors
  - Replies with “working” or “failed”
- Difficulty:
  - Detecting something is working is easier: if they respond to a message, they are working
  - Detecting failure is harder: if they don't respond to the message, the message may have been lost/delayed, may be the process is busy, etc..
- Unreliable failure detector
  - Replies with “suspected (failed)” or “unsuspected”
  - That is, does not try to give a confirmed answer
- We would ideally like reliable detectors, but unreliable ones (that say give “maybe” answers) could be more realistic

# Simple example

- Suppose we know all messages are delivered within  $D$  seconds
- Then we can require each process to send a message every  $T$  seconds to the failure detectors
- If a failure detector does not get a message from process  $p$  in  $T+D$  seconds, it marks  $p$  as “suspected” or “failed”

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# Synchronous vs asynchronous

- In a synchronous system there is a bound on message delivery time (and clock drift)
- So this simple method gives a reliable failure detector
- In fact, it is possible to implement this simply as a function:
  - Send a message to process  $p$ , wait for  $2D + \epsilon$  time
  - A dedicated detector process is not necessary
- In Asynchronous systems, things are much harder

# Simple failure detector

- If we choose T or D too large, then it will take a long time for failure to be detected
- If we select T too small, it increases communication costs and puts too much burden on processes
- If we select D too small, then working processes may get labeled as failed/suspected



# Assumptions and real world

- In reality, both synchronous and asynchronous are a too rigid
- Real systems, are fast, but sometimes messages can take a longer than usual
  - But not indefinitely long
- Messages usually get delivered, but sometimes not..

# Some more realistic failure detectors

- Have 2 values of D: D1, D2
  - Mark processes as working, suspected, failed
- Use probabilities
  - Instead of synchronous/asynchronous, model delivery time as probability distribution
  - We can learn the probability distribution of message delivery time, and accordingly estimate the probability of failure

# Using bayes rule

- $a$ =probability that a process fails within time  $T$
- $b$ =probability a message is not received in  $T+D$
- So, when we do not receive a message from a process we want to estimate  $P(a | b)$ 
  - Probability of  $a$ , given that  $b$  has occurred

$$P(a | b) = \frac{P(b | a)P(a)}{P(b)}$$

If process has failed, i.e.  $a$  is true, then of course message will not be received! i.e.  $P(b | a) = 1$ . Therefore:

$$P(a | b) = \frac{P(a)}{P(b)}$$

# Leader of a computation

- Many distributed computations need a coordinating or server process
  - E.g. Central server for mutual exclusion
  - Initiating a distributed computation
  - Computing the sum/max using aggregation tree
- We may need to elect a leader at the start of computation
- We may need to elect a new leader if the current leader of the computation fails

# The Distinguished leader

Ref: NL

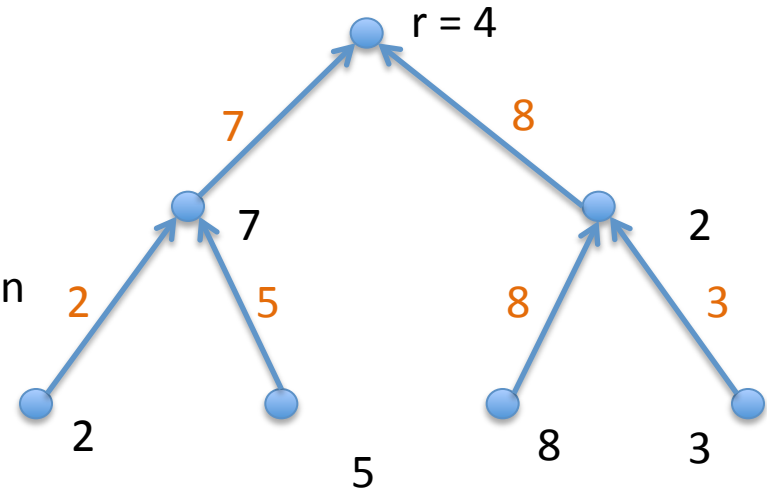
- The leader must have a special property that other nodes do not have
- If all nodes are exactly identical in every way then there is no algorithm to identify one as leader
- Our policy:
  - The node with highest identifier is leader

# Node with highest identifier

- If all nodes know the highest identifier (say  $n$ ), we do not need an election
  - Everyone assumes  $n$  is leader
  - $n$  starts operating as leader
- But what if  $n$  fails? We cannot assume  $n-1$  is leader, since  $n-1$  may have failed too! Or may be there never was process  $n-1$
- Our policy:
  - The node with highest identifier and still surviving is the leader
- We need an algorithm that finds the working node with highest identifier

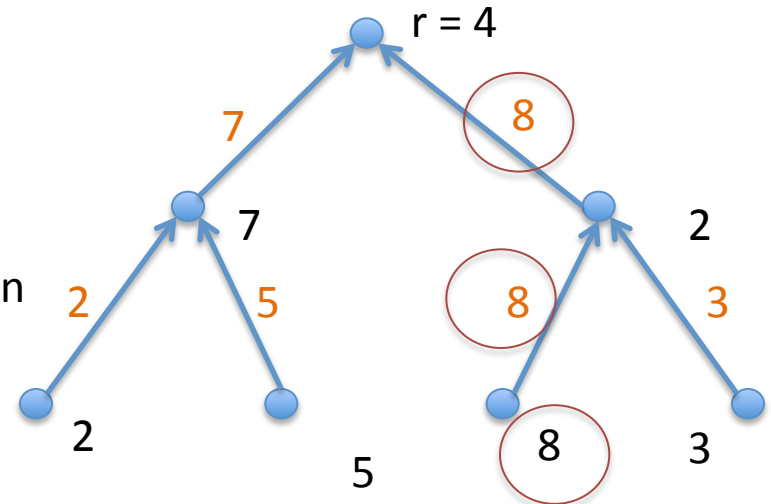
# Strategy 1: Use aggregation tree

- Suppose node  $r$  detects that leader has failed, and initiates leader election
- Node  $r$  creates a BFS tree
- Asks for max node id to be computed via aggregation
  - Each node receives id values from children
  - Each node computes max of own id and received values, and forwards to parent
- Needs a tree construction
- If  $n$  nodes start election, will need  $n$  trees
  - $O(n^2)$  communication
  - $O(n)$  storage per node



# Strategy 1: Use aggregation tree

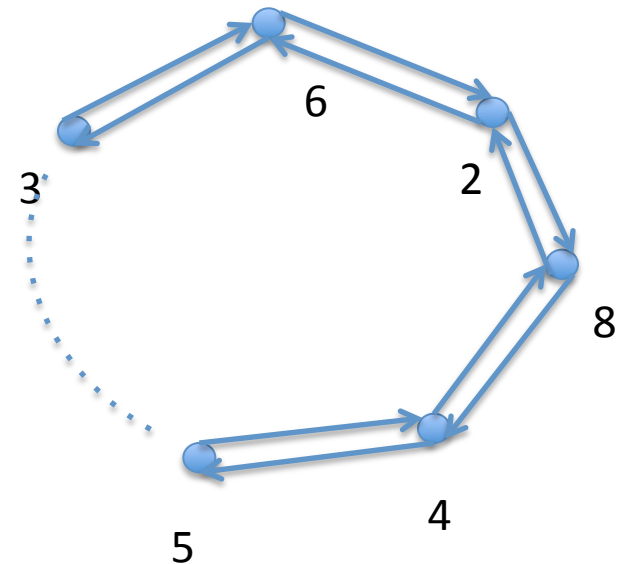
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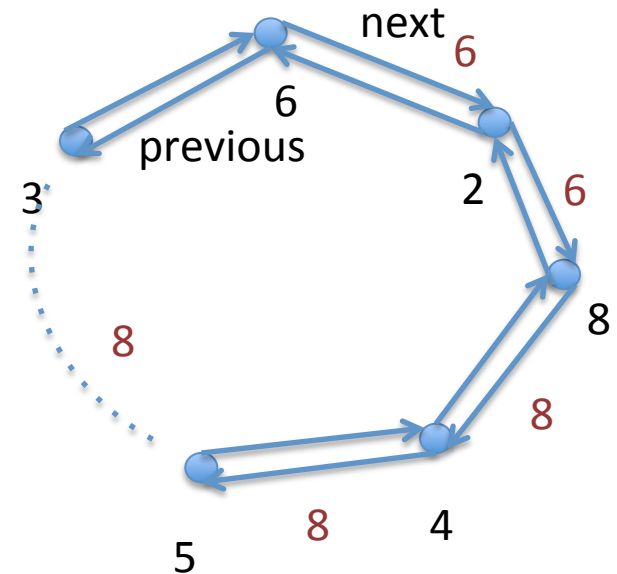
# Strategy 2: Use a ring

- Suppose the network is a ring
  - We assume that each node has 2 pointers to nodes it knows about:
    - Next
    - Previous
    - (like a circular doubly linked list)
  - The actual network may not be a ring
  - This can be an *overlay*



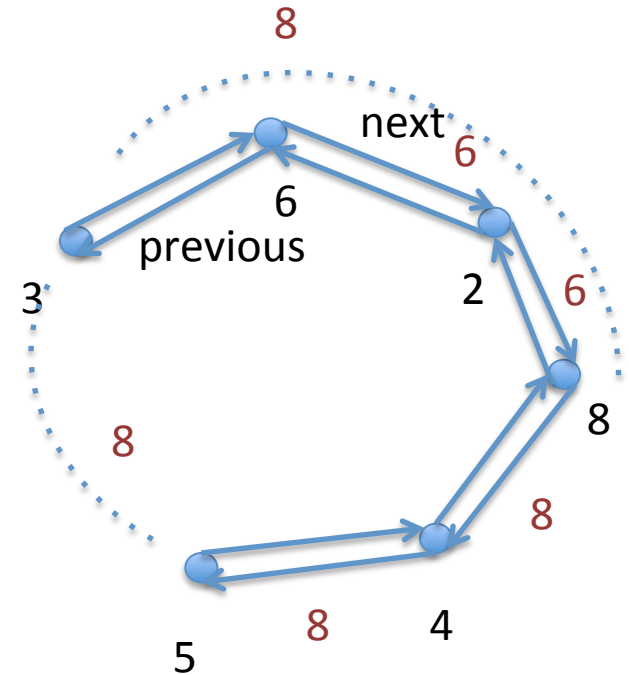
# Strategy 2: Use a ring

- Basic idea:
  - Suppose 6 starts election
  - Send “6” to 6.*next*, i.e. 2
  - 2 takes  $\max(2, 6)$ , send to 2.*next*
  - 8 takes  $\max(8, 6)$ , sends to 8.*next*
  - etc



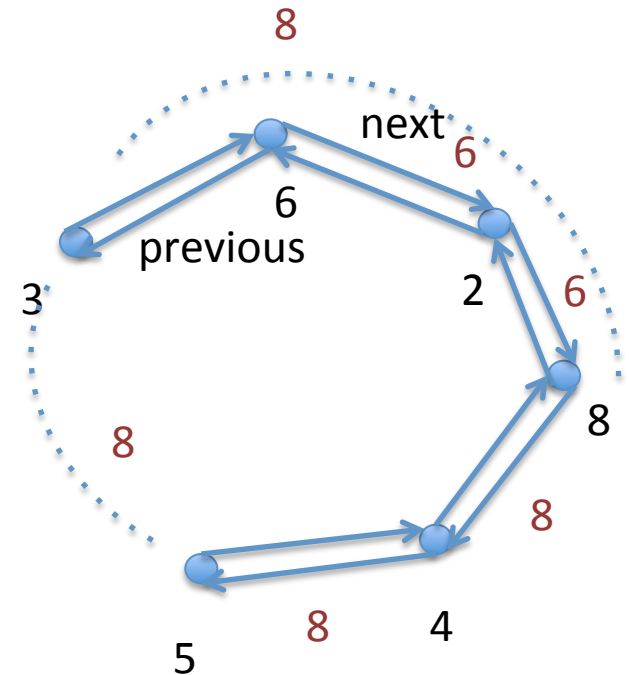
# Strategy 2: Use a ring

- The value “8” goes around the ring and comes back to 8
- Then 8 knows that “8” is the highest id
  - Since if there was a higher id, that would have stopped 8
- 8 declares itself the leader:  
sends a message around the ring



# Strategy 2: Use a ring

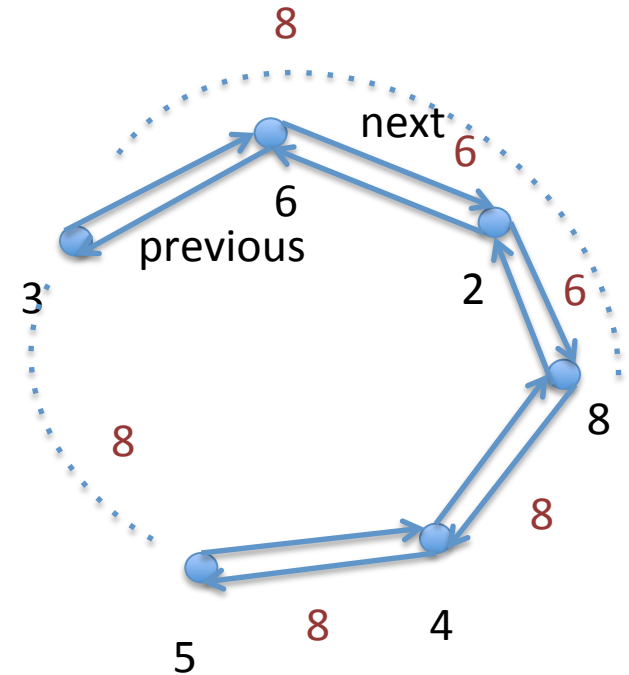
- The problem: What if multiple nodes start leader election at the same time?
- We need to adapt algorithm slightly so that it can work whenever a leader is needed, and works for multiple leader



# Strategy 2: Use a ring

## (Algorithm by Chang and Roberts)

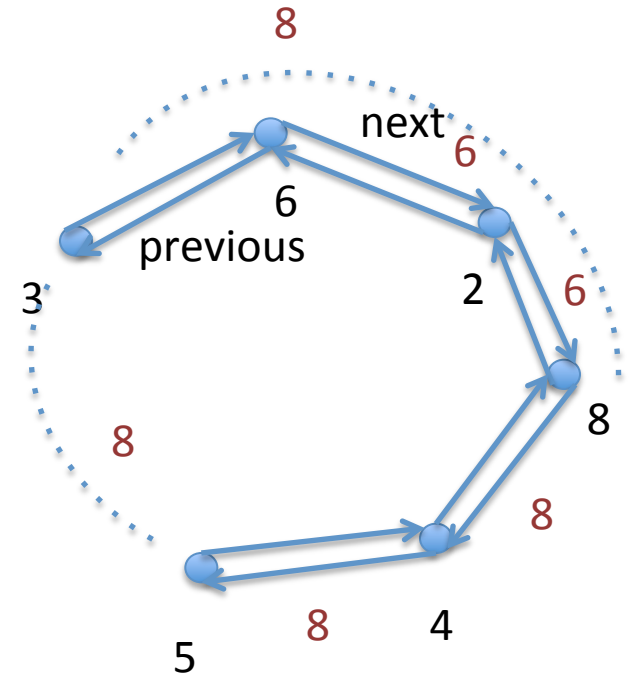
- Every node has a default state: *non-participant*
- Starting node sets state to *participant* and sends *election* message with id to *next*



# Strategy 2: Use a ring

## (Algorithm by Chang and Roberts)

- If node  $p$  receives *election* message  $m$
- If  $p$  is non-participant:
  - send  $\max(m.id, p.id)$  to  $p.next$
  - Set state to participant
- If  $p$  is participant:
  - If  $m.id > p.id$ :
    - Send  $m.id$  to  $p.next$
  - If  $m.id < p.id$ :
    - do nothing



# Strategy 2: Use a ring

## (Algorithm by Chang and Roberts)

- If node  $p$  receives *election* message  $m$  with  $m.id = p.id$
- $P$  declares itself leader
  - Sets  $p.leader = p.id$
  - Sends *leader* message with  $p.id$  to  $p.next$
  - Any other node  $q$  receiving the leader message
    - Sets  $q.leader = p.id$
    - Forwards leader message to  $q.next$

# Strategy 2: Use a ring

## (Algorithm by Chang and Roberts)

- Works in an asynchronous system
- Assuming nothing fails while the algorithm is executing
- Message complexity  $O(n^2)$ 
  - When does this occur?
  - (hint: all nodes start election, and many messages traverse a long distance)
- What is the time complexity?
- What is the storage complexity?



# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

- Assume all nodes want to know the leader
- $k$ -neighborhood of node  $p$ 
  - The set of all nodes within distance  $k$  of  $p$
- How does  $p$  send a message to distance  $k$ ?
  - Message has a “time to live variable”
  - Each node decrements  $m.ttl$  on receiving
  - If  $m.ttl=0$ , don’t forward any more

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

- Basic idea:
  - Check growing regions around yourself for someone with larger id

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

- Algorithm operates in phases
- In phase 0, node  $p$  sends election message  $m$  to both  $p.next$  and  $p.previous$  with:
  - $m.id = p.id$  and  $tvl = 1$
- Suppose  $q$  receives this message
  - Sets  $m.tvl=0$
  - If  $q.id > m.id$ :
    - Do nothing
  - If  $q.id < m.id$ :
    - Return message to  $p$

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

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  - $m.id = p.id$  and  $tll = 1$
- Suppose  $q$  receives this message
  - Sets  $m.ttl=0$
  - If  $q.id > m.id$ :
    - Do nothing
  - If  $q.id < m.id$ :
    - Return message to  $p$
- If  $p$  gets back both message, it decides itself leader of its 1-neighborhood, and proceeds to next phase

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

- If  $p$  is in phase  $i$ , node  $p$  sends election message  $m$  to  $p.next$  and  $p.previous$  with:
  - $m.id = p.id$ , and  $m.ttl = 2^i$
- A node  $q$  on receiving the message (from next/previous)
  - If  $m.ttl=0$ : forward suitably to previous/next
  - Sets  $m.ttl=m.ttl-1$
  - If  $q.id > m.id$ :
    - Do nothing
  - Else:
    - If  $m.ttl = 0$ : return to sending process
    - Else forward to suitably to previous/next
- If  $p$  gets both message back, it is the leader of its  $2^i$  neighborhood, and proceeds to phase  $i+1$

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

- When  $2^i \geq n/2$ 
  - Only 1 process survives: Leader
- Number of phases:  $O(\log n)$
- What is the message complexity?

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

In phase  $i$

- At most one node initiates message in any sequence of  $2^{i-1}$  nodes
- So,  $n/2^{i-1}$  candidates
  - Each sends 2 messages, going at most  $2^i$  distance, and returning:  $2 * 2 * 2^i$  messages
- $O(n)$  messages in phase  $i$

There are  $O(\log n)$  phases

- Total of  $O(n \log n)$  messages

# Strategy 3: Use a ring – smartly (Hirschberg Sinclair)

- Assume synchronous operation
- Assume nodes do not fail during algorithm run
- What is time complexity?
- What is storage complexity?



# Strategy 4: Bully Algorithm

Ref: CDK

- Assume:
  - Each node knows the id of all nodes in the system (some may have failed)
  - Synchronous operation
- Node  $p$  decides to initiate election
- $p$  sends election message to all nodes with  $id > p.id$
- If  $p$  does not hear “I am alive message” from any node,  $p$  broadcasts a message declaring itself as leader
- Any working node  $q$  that receives election message from  $p$ , replies with own id and “I am alive” message
  - And starts an election (unless it is already in the process of an election)
- Any node  $q$  that hears a lower id node being declared leader, starts a new election

# Strategy 4: Bully Algorithm

- Assume:
  - Each node knows the id of all nodes in the system (some may have failed)
  - Synchronous operation
- Works even when processes fail
- Works when (some) message deliveries fail.
- What are the storage and message complexities?