Computational Cognitive Science

Lecture 11: Concepts and Language

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Number concepts: "x is odd" "x is a power of 3" "x is between 30 and 45"

[Tenenbaum, 2000]

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 $\{x = 2k + 1: k \in N\}$ $\{x = 3^{k}: k \in N\}$ $\{30 \le x \le 45\}$

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[Tenenbaum, 2000]

- Not all concepts are equally "natural" in English.
- There are cross-linguistic differences between conceptual categories.

- New words in a given language:
 - *"selfie"* did not exist 20 years ago.
 - *"pink"* was (probably) not used as a color term until the color became popular in 18th century.
- "Untranslatable" words:
 - Dutch *gezelligheid* ("cozy and warm atmosphere")
 - Russian *toska*
 - English *privacy*

("deep spiritual anguish without any specific cause") (cannot be easily translated into Russian)

Even similar concepts are not necessarily "the same" across languages.





glass

сир

Even similar concepts are not necessarily "the same" across languages.



b

EN glass

RU stakan

cup chashka

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based on [Pavlenko & Malt, 2011]

Color Categories across Languages

Color naming task: show color chips one by one and ask to name each.



Munsell color chart

(a) English 5Y 10Y 5GY 10GY 5G 10G 5BG 10BG 5B 10B 5PB 10PB 5P 10P 5RP 10RP 5R 10YR 10R 5YR 9 Yellow Pink Pink 8 6 Orange Green Blue Purple 5 Brown 4 3 Red Red 2

[Kay & Regier, 2006]

(a) English



(b) Berinmo



[Kay & Regier, 2006]

Linguistic Relativity

- "The Sapir-Whorf hypothesis".
- Our thoughts are influenced by the language(s) we speak.
- Controversial: results both in favour and against.

Category Effects in Color Memory

Category Effects in Color Memory

- [Cibelli et al., 2016] (link): is color memory language-specific?
- Two studies:
 - Color <u>reconstruction</u> + goodness rating (with English speakers).
 - Color <u>discrimination</u> + goodness rating (with speakers of three languages).

Category Effects in Color Memory

- [Cibelli et al., 2016] (link): is color memory language-specific?
- Two studies:
 - Color reconstruction + goodness rating (with English speakers).
 - Color discrimination + goodness rating (with speakers of three languages).
- A formal model fitted to the experimental data.

Color Memory Experiment

Experiment 1a:

- 1. Look at a color chip.
- 2. Wait 1 second.
- 3. Pick the same color on a color wheel.



Categorical Perception across fields

- Categories are structured, with a prototype somewhere in the center.
- Sound perception: it is easier to detect changes in non-prototypical variants of sound [i] than in variants close to the prototype. [Kuhl, 1991]
- Spatial perception: when reconstructing a stimulus from memory, we bias it towards the prototype.



Categorical Perception for color



Color Memory Experiment + Goodness Rating

Experiment 1a:

- 1. Look at a color chip.
- 2. Wait one second.
- 3. Pick the same color on a color wheel.

Experiment 1b: rate how good this example of green/blue is



Notation:

- S: perceived color stimulus
- M: memory of the stimulus
- c: color category of the stimulus
- ŝ: reconstructed stimulus

S: color stimulus

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Reconstructed stimulus:

 $\hat{s} = E[S|M, c]$



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Posterior distribution:

 $p(S|M, c) \propto p(M|S, c)p(S|c)$ [Bayes' rule]

 $\propto p(M|S)p(S|c)$ [because M is independent of c given S]

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Stimulus "interpretation" is a Gaussian (modeling category effects):

$$p(S|c) = \mathcal{N}(S; \mu_c, \sigma_c^2)$$
 values from Exp. 1b

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Stimulus "interpretation" is a Gaussian (modeling category effects):

$$p(S|c) = \mathcal{N}(S; \mu_c, \sigma_c^2)$$
 values from Exp. 1b

Memory is also a Gaussian (modeling uncertainty):

$$p(M|S) = \mathcal{N}(M; \mu_m, \sigma_m^2)$$
 values from Exp. 1a

S: color stimulus

M: memory

- c: color category
- s: reconstructed stimulus

Model versions:

1. Baseline model, no category influence on reconstruction:

 $p(S|M,-) \propto \mathcal{N}(M;\mu_m,\sigma_m^2)$



color stimulus S:

M: memory

C: ŝ: color category

reconstructed stimulus

Model versions:

Baseline model, no category influence on reconstruction: 1.

 $p(S|M,-) \propto \mathcal{N}(M;\mu_m,\sigma_m^2)$

One-category models, influence of either *green* or *blue*: 2.

 $p(S|M,c) \propto \mathcal{N}(M;\mu_m,\sigma_m^2) \mathcal{N}(S;\mu_c,\sigma_c^2)$

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Two-category model, influence of both *green* and *blue*: 3.

$$p(S|M) = \sum_{c \in \{c_1, c_2\}} p(S|M, c) \pi(c)$$

S: color stimulus

M: memory

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reconstructed stimulus

Model versions:

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Two-category model, influence of both *green* and *blue*: 3.

$$p(S|M) = \sum_{c \in \{c_1, c_2\}} p(S|M, c) \pi(c) \longrightarrow p(S = s|c); \text{ "applicability" of } c \text{ to } S$$

[Cibelli et al., 2016]

- color stimulus S:
- M: memory
- C: ŝ: color category
- reconstructed stimulus

Applying the Model

Fitting the models:

1. Use goodness data (Exp. 1b) to fit the parameters of Gaussian functions for each category.



Applying the Model

Fitting the models:

- 1. Use goodness data (Exp. 1b) to fit the parameters of Gaussian functions for each category.
- 2. Use reconstruction data (Exp. 1a) to fit the parameters of Gaussian function for memory uncertainty.



	1921		0.0	N
Measure	Null	1-cat. (G)	1-cat. (B)	2-cat.

LL	1860	1650	1900	1980
MSE	0.00099	0.00160	0.00061	0.00042

Study 1: Summary

Testing the core assumption of the Category Adjustment Model.

- Color memory + goodness rating experiment.
- Color reconstruction is influenced by (1) universal color perception and
 (2) language-specific color categories.
- Both adjacent categories (*green* and *blue*) affect reconstruction.

Category Adjustment across Languages

Study 2: testing the model cross-linguistically.

- The goal is to look into linguistic relativity.
- One option: similar reconstruction data for other languages.
- Alternative: a different task, color discrimination.
Experiment 2: color discrimination.

- 1. Look at a color chip for 5 seconds.
- 2. Wait 30 seconds.
- 3. Choose which of the two (new) stimuli matches the one before.

Existing results [Roberson et al., 2000]:

1. It's easier to discriminate colors <u>across</u> categories (e.g., *blue* vs. *green*) than <u>within</u> a category (e.g., a *green* vs. another *green*).



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- 2. Within a category, it's easier to discriminate between two colors when the first one is "good" (and second is "bad"), than vice versa.
- 3. Discrimination patterns are language-specific.



Color naming in English and Berinmo.

[Cibelli et al., 2016]



	5R	10R	5YR	10YR	5Y	10Y	5GY	10GY	5G	10G	5BG	10BG	5B	10B	5PB	10PB	5P	10P	5RP	10RP
9	3	2	5	Wap	2				1	1			Wap	1	5	12	6	3		2
8				9	6	2	3										1			
7			2	5	4	4	1	1		2										
6				2	1			2	3		1									
5	6				W or	1		6		4	Nol	2	2							3
4									5			3								11
3				Kel							1		1		1					1
2		1	1	3	4	6	12				2	1	4	3	4	4	Kel	2		

Left panel:

- 'within' (green) in English
- 'across' (wor-nol) in Berinmo

Right panel:

- 'across' (green-blue) in English
- 'within' (*nol*) in Berinmo

Discrimination result 1: across easier than within.





Discrimination result 1: <u>across</u> easier than <u>within</u>.





Discrimination result 1: <u>across</u> easier than <u>within</u>.





Discrimination result 2: good target is easier than bad target.



[Cibelli et al., 2016]

Applying CAM to discrimination data

Probability of the correct choice:

$$p = \frac{sim(r, t)}{\sum_{i \in \{t, d\}} sim(r, i)}$$

- i: color stimulus
- М: memory
- reconstructed stimulus r:
- target stimulus t: d:
 - distractor

Applying CAM to discrimination data

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- color stimulus *i*: М: memory
- reconstructed stimulus r:
- t: target stimulus d.
 - distractor

The similarity between (1) *r* and *d*, and (2) *r* and *t*:

distance directly measured $sim(i,j) = \exp(-dist(i,j))$ in a given color space

Applying CAM to discrimination data

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- color stimulus i: M: memory reconstructed stimulus r: target stimulus t: d.
 - distractor

The similarity between (1) *r* and *d*, and (2) *r* and *t*:

1

$$sim(i,j) = \exp(-dist(i,j))$$
 distance directly measured
in a given color space

Reconstruction of the stimulus:

$$r = E[t|M] = E\bigg[\sum_{c \in \{c_1, c_2\}} p(t|M, c)\pi(c)\bigg] \longrightarrow \text{category adjustment}$$

Discrimination result 1: <u>across</u> easier than <u>within</u>.





Discrimination result 1: <u>across</u> easier than <u>within</u>.





Discrimination result 2: good target is easier than bad target.



[Cibelli et al., 2016]

Discrimination result 2: good target is easier than bad target.



[Cibelli et al., 2016]

Category Effects in Color Memory

Summary of Study 2: Category Adjustment Model on cross-linguistic data.

- 1. This study expresses Linguistic Relativity in terms of probabilistic inference.
- 2. Category Adjustment Model accounts for language-specific partitionings of the color space in the human mind.
- 3. Color memory is inferred probabilistically from two sources: universal color perception and language-specific color categories.

Category Adjustment in Bilingualism

Category Adjustment in Bilingualism

• Color categories are influenced by the speaker's language. But what about bilingual speakers?

• Category Adjustment Model has been extended to research in bilingualism (Matusevych et al., 2018; <u>link</u>).

Languages in the mind: Convergence



Conceptual categories in the mind



Two monolingual speakers

Conceptual shift



A bilingual speaker

Conceptual shift across domains

- Containers in Dutch-French bilingual speakers [Ameel et al., 2005, 2009]
- Emotions in Russian-English bilingual speakers [Pavlenko, 2002]
- Number in Japanese-English bilingual speakers [Athanasopolous, 2006]
- Both L1 and L2 categories "shift" in the representational space.



Participants locate the focal area for each color term.



Mandarin monolinguals (Mandarin)

[Caskey-Sirmons & Hickerson, 1977]



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Mandarin monolinguals (Mandarin)

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English monolinguals (English)

Conceptual shift of L1 focal colors

L1 colors appear shifted in bilinguals (compared to monolinguals)







Mandarin monolinguals (Mandarin)

Mandarin[L1]-English[L2] bilinguals (Mandarin) English monolinguals (English)

[Caskey-Sirmons & Hickerson, 1977]

Conceptual shift of L1 focal colors

L1 colors appear shifted in bilinguals (compared to monolinguals)







Mandarin monolinguals (Mandarin)

Mandarin[L1]-English[L2] bilinguals (Mandarin)

English monolinguals (English)

[Caskey-Sirmons & Hickerson, 1977]

reverse transfer

Hypothesis

- Bilinguals' L1 color categories are a function of color categories in the two languages: L1 and L2.
- We formalize this idea using the Category Adjustment Model [Cibelli et al., 2016].











Category Adjustment Model: Prediction

- Consider one monolingual L1 category (e.g., Mandarin 蓝 [lán, 'blue'])
- Consider all monolingual L2 categories (English *green, blue, red,* etc.)
- Shift the L1 category towards each L2 category (as a function of the distance between them).
- Outputs the adjusted ("bilingual") L1 category.
Experimental data

Caskey-Sirmons & Hickerson, 1977: focal color selection

- English monolingual speakers: tested in English
- Monolingual speakers of 5 other languages:* tested in the respective language
- Bilingual speakers: one of the 5 languages + English: tested in the respective L1

* Korean, Japanese, Mandarin, Hindi, Cantonese

Conclusions

• Category Adjustment Model predicts bilingual L1 focal colors better than the monolingual baseline.

• Category Adjustment Model can be used to study cross-linguistic transfer.

Issues with this study

- Assumes an "end point" in second language learning.
- Does not simulate the learning process.
- Not compared to other theoretical accounts.
- Tested on one task from one experimental study.

Take-home

- Many theories related to language have not been formalized yet, and the field can benefit from cognitive modeling.
- Cognitive models need to take into account differences between languages.
- A good model should be tested on multiple experimental tasks and data sets.

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