AI2 Module 4<br>Tutorial 4: Notes on Solutions<br>Alan Bundy<br>and<br>Jürgen Zimmer<br>School of Informatics

## 1 STRIPS Planning in the Blocks World

(a) The operator Unstack:

| act: | Unstack(x,y) |
| ---: | :--- |
| pre: | On( $\mathrm{x}, \mathrm{y})$, Clear( x$),$ Handempty |
| add: | Holding(x),Clear(y) |
| del: | On(x,y),Clear(x),Handempty |

(b)

- Unstack(C,A)
- Putdown(C)
- Pickup(A)
- Stack(A,B)
(c)
- Pickup(B)
- Stack(B,C)
(d) This illustrates the problem of interacting goals and the Sussman Anomaly ${ }^{1}$.
- Unstack(C,A)
- Putdown(C)
- Pickup(B)
- $\operatorname{Stack}(B, C)$
- Pickup(A)
- $\operatorname{Stack}(\mathrm{A}, \mathrm{B})$

Note that this plan interleaves the plans for (b) and (c). STRIPS is unable to find such interleaved plans. Examples like this led to the partial-order planners, discussed in the lectures, which can deal with such interleaving.

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## 2 Planning in the Wumpus World

(a)

| act: | Shoot |
| ---: | :--- |
| pre: | At(sq1),Heading(dir),Next(sq1,dir,sq2),Wumpus(sq2) |
| add: |  |
| del: | Wumpus(sq2) |

(b)

- Right
- Forward
- Shoot
(c)
(i) First use resolution to try to prove the goal $\neg W u m p u s(\langle 1,3\rangle)$ in the initial state. This fails.
(ii) Then match the negated goal against the delete lists of the operators. This succeeds only with the operator Shoot. The partially instantiated preconditions of the operator, $\operatorname{At}(s q 1)$, Heading(dir), Next(sq1, dir, $\langle 1,3\rangle)$, Wumpus $(\langle 1,3\rangle)$, become the new subgoals.
(iii) Try to prove the new subgoals in the initial state. This partially succeeds with the substitution $\{$ dir $=$ North, sq1 $=\langle 1,2\rangle\}$, leaving the residue $A t(\langle 1,2\rangle)$, Heading (North).
(iv) Match the first subgoal against the subgoals of the available operators. This succeeds with the operator Forward. The partially instantiated preconditions of this operator, At(sq1'), Heading( $\left.\operatorname{dir}^{\prime}\right), N e x t\left(s q 1^{\prime}, \operatorname{dir}^{\prime},\langle 1,2\rangle\right), \operatorname{OK}(\langle 1,2\rangle)$, become the new subgoals.
(v) Try to prove the new subgoals in the initial state. This partially succeeds with the substitution $\left\{\right.$ dir $^{\prime}=$ North, sq1 $\left.1^{\prime}=\langle 1,1\rangle\right\}$, leaving the residue Heading (North) which is identical with the second subgoal of (iii).
(vi) Match this subgoal with the add-list of the operators. This succeeds with the operator Right. The instantiated preconditions of the operator, Heading(dir ${ }^{\prime \prime}$ ), Ninety (dir", North), become the new subgoals.
(vii) Proving the new subgoals in the initial state succeeds with the substitution $\left\{d i r^{\prime \prime}=\right.$ West $\}$.
(viii) Return the plan: Right, Forward, Shoot.


## 3 Qualification and Ramification

Open ended discussion question. Some possible answers are:
(a) train is in working order, track is in working order, no strike, no accident, ...
(b) other passengers move too, track/train is worn, train gets dirty, ...


[^0]:    ${ }^{1}$ See also http://www.cs.cf.ac.uk/Dave/AI2/node122.html.

